## Problem E. Shifting a Matrix

Input file:
Output file:
Time limit:
Memory limit:
standard input
standard output
1 second
512 mebibytes

You are given $N \times N$ matrix $A$ initialized with $A_{i, j}=(i-1) \cdot N+j$, where $A_{i, j}$ is the entry of the $i$-th row and the $j$-th column of $A$. Note that $i$ and $j$ are 1 -based.

You are also given an operation sequence which consists of the four types of shift operations: left, right, up, and down shifts. More precisely, these operations are defined as follows:

- Left shift with $i$ : circular shift of the $i$-th row to the left, i.e., setting previous $A_{i, k}$ to new $A_{i, k-1}$ for $2 \leq k \leq N$, and previous $A_{i, 1}$ to new $A_{i, N}$.
- Right shift with $i$ : circular shift of the $i$-th row to the right, i.e., setting previous $A_{i, k}$ to new $A_{i, k+1}$ for $1 \leq k \leq N-1$, and previous $A_{i, N}$ to new $A_{i, 1}$.
- Up shift with $j$ : circular shift of the $j$-th column to the above, i.e., setting previous $A_{k, j}$ to new $A_{k-1, j}$ for $2 \leq k \leq N$, and previous $A_{1, j}$ to new $A_{N, j}$.
- Down shift with $j$ : circular shift of the $j$-th column to the below, i.e., setting previous $A_{k, j}$ to new $A_{k+1, j}$ for $1 \leq k \leq N-1$, and previous $A_{N, j}$ to new $A_{1, j}$.

An operation sequence is given as a string. You have to apply operations to a given matrix from left to right in a given string. Left, right, up, and down shifts are referred as 'L', 'R', ' $U$ ', and ' $D$ ' respectively in a string, and the following number indicates the row/column to be shifted. For example, "R25" means we should perform right shift with 25 . In addition, the notion supports repetition of operation sequences. An operation sequence surrounded by a pair of parentheses must be repeated exactly $m$ times, where $m$ is the number following the close parenthesis. For example, "(L1R2) 10" means we should repeat exactly 10 times the set of the two operations: left shift with 1 and right shift with 2 in this order.
Given operation sequences are guaranteed to follow the following BNF:

```
<sequence> := <sequence><rep> | <sequence><op> | <rep> | <op>
<rep> := '('<sequence>')'<number>
<op> := <shift><number>
<shift> := 'L' | 'R' | 'U' | 'D'
<number> := <nonzero_digit> |<number><digit>
<digit> := '0' | <nonzero_digit>
<nonzero_digit> := '1' | '2' | '3' | '4' | '5' | '6' | '7' | '8' | '9'
```

Given $N$ and an operation sequence as a string, make a program to compute the $N \times N$ matrix after operations indicated by the operation sequence.

## Input

The first line of the input contains two integers $N$ and $L$, where $N(1 \leq N \leq 100)$ is the size of the given matrix and $L(2 \leq L \leq 1,000)$ is the length of the following string. The second line contains a string $S$ representing the given operation sequence. You can assume that $S$ follows the
above BNF. You can also assume numbers representing rows and columns are no less than 1 and no more than $N$, and the number of each repetition is no less than 1 and no more than $10^{9}$ in the given string.

## Output

Output the matrix after the operations in $N$ lines, where the $i$-th line contains single-space separated $N$ integers representing the $i$-th row of $A$ after the operations.

## Examples

|  | standard input |  |  | standard output |
| :--- | :--- | :--- | :--- | :--- |
| 32 | 1 | 2 |  |  |
| R1 | 4 | 5 | 6 |  |
| 7 | 8 | 9 |  |  |
| 37 | 1 | 2 | 3 |  |
| 4 | 5 | 6 |  |  |
| (U2) 300 | 7 | 8 | 9 |  |
|  | 3 | 3 | 7 |  |
| 3 7 R1D1)3 | 1 | 5 | 6 |  |
|  | 2 | 8 | 9 |  |

