## Problem K. Black and White Boxes

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 5 seconds |
| Memory limit: | 512 mebibytes |

Alice and Bob play the following game.

1. There are a number of straight piles of boxes. The boxes have the same size and are painted either black or white.
2. Two players, namely Alice and Bob, take their turns alternately. Who plays first is decided by a fair random draw.
3. In Alice's turn, she selects a black box in one of the piles, and removes the box together with all the boxes above it, if any. If no black box to remove is left, she loses the game.
4. In Bob's turn, he selects a white box in one of the piles, and removes the box together with all the boxes above it, if any. If no white box to remove is left, he loses the game.
Given an initial configuration of piles and who plays first, the game is a definite perfect information game. In such a game, one of the players has sure win provided he or she plays best. The draw for the first player, thus, essentially decides the winner.
In fact, this seemingly boring property is common with many popular games, such as chess. The chess game, however, is complicated enough to prevent thorough analyses, even by supercomputers, which leaves us room to enjoy playing.
This game of box piles, however, is not as complicated. The best plays may be more easily found. Thus, initial configurations should be fair, that is, giving both players chances to win. A configuration in which one player can always win, regardless of who plays first, is undesirable. You are asked to arrange an initial configuration for this game by picking a number of piles from the given candidate set. As more complicated configuration makes the game more enjoyable, you are expected to find the fair configuration with the maximum possible number of boxes.

## Input

The input consists of a single test case, formatted as follows. A positive integer $n(n \leq 40)$ is the number of candidate piles. Each of the next $n$ lines contains $p_{i}$ : a string of characters ' B ' and ' W ', representing the $i$-th candidate pile. Here, 'B' and 'W' mean black and white boxes, respectively. The boxes appear in the order in the pile, from bottom to top. The number of boxes in a candidate pile does not exceed 40.

## Output

Output in a line the maximum possible number of boxes in a fair initial configuration consisting of some of the candidate piles. If only the empty configuration is fair, output a zero.

## Examples

| standard input | standard output |
| :--- | :--- |
| 4 | 5 |
| B |  |
| W |  |
| WB |  |
| WB | 10 |
| B |  |
| W |  |
| WB |  |
| WB |  |
| BWW |  |

