



# Problem E. Easy Win

Input file:	standard input
Output file:	standard output
Time limit:	2 seconds
Memory limit:	512 mebibytes

Alice and Bob are playing a game.

They have n piles of stones, such that there are  $a_i$   $(1 \le a_i \le n)$  stones in the *i*-th pile.

During his/her turn, each player, starting from Alice, will pick any pile and take at least one and at most x stones from it.

The player that can't make a move on his/her turn (all piles are empty) loses.

Alice and Bob still have not decided the final value of x, so they have asked you to find out who will win if both players play optimally for all values of x, such that  $1 \le x \le n$ .

### Input

The first line of input contains one integer  $n \ (1 \le n \le 500\ 000)$ : the number of piles and the upper bound on the number of stones in piles.

The next line contains n integers,  $a_1, a_2, \ldots, a_n$   $(1 \le a_i \le n)$ : the number of stones in piles.

### Output

Print n words, where the *i*-th of them is "Alice" if Alice will win under optimal play for i = x, and "Bob" otherwise.

# Examples

standard input	standard output
6	Bob Bob Bob Bob Bob
6 6 6 6 6 6	
4	Bob Alice Bob Alice
1 2 3 4	
5	Bob Alice Bob Bob Bob
1 2 3 2 2	

# Note

In the first example, independently on x, Bob may do symmetrical moves (the same move on the pile with the same number of stones), so on each turn, he definitely will have at least one available move.