Exchanging Kubic

| Input file: | standard input |
|---------------|-----------------|
| Output file: | standard output |
| Time limit: | 1 second |
| Memory limit: | 1024 megabytes |

This is an interactive problem.

In computer science, the maximum sum subarray problem, also known as the maximum segment sum problem, is the task of finding a contiguous subarray with the largest sum, within a given one-dimensional array A_1, A_2, \dots, A_n of numbers. Formally, the task is to find indices i and j, such that the following sum is as large as possible:

$$\sum_{k \le k \le j} A_k$$

It is also possible to choose an empty subarray, which means you found an empty array with the sum 0. The value of the maximum sum subarray is denoted by MSS(A). For example, MSS([-2, 1, 4, -3, 5]) = 7, MSS([-5]) = 0, and MSS([-1, -2]) = 0.

Little Cyan Fish is taking a course on Kubic Theory at Powerful Kubic University (PKU). Today, Prof. Kubic asked Little Cyan Fish to play the following game with him during the course:

Prof. Kubic has a sequence of integers a_1, a_2, \dots, a_n . Little Cyan Fish could ask Prof. Kubic at most 2n questions in the following form:

• ? 1 r: query the value of $MSS(a_l, a_{l+1}, \cdots, a_r)$.

The task of Little Cyan Fish is to report a sequence b_1, b_2, \dots, b_n satisfying:

• $MSS(a_l, a_{l+1}, \cdots, a_r) = MSS(b_l, b_{l+1}, \cdots, b_r)$ for all $1 \le l \le r \le n$.

Little Cyan Fish found this task is very challenging. Can you help him to develop a strategy to finish Prof. Kubic's task?

Interaction Protocol

There are multiple test cases in a single test file. The first line of the input contains a single integer T $(1 \le T \le 10^4)$, indicating the number of the test cases.

For each test case, the first line of the input contains a single integer $n \ (1 \le n \le 2000)$.

Then, the interaction begins. You may perform at most 2n queries in each test case. To perform a query, you need to print a single line "? l r" $(1 \le l \le r \le n)$, indicating a query. Then, you need to read the result of your query from the standard input.

To give your answer, you need to print "! $b_1 \ b_2 \ \cdots \ b_n$ ". You need to ensure that $-10^{15} \le b_i \le 10^{15}$. Printing the answer is not considered a query and does not count toward the 2n limit. After printing you answer, you need to read the next case, or terminate your program immediately.

After printing a query, do **NOT** forget to output end of line and flush the output. To do this, use "fflush(stdout)" or "cout.flush()" in C++, "System.out.flush()" in Java, "flush(output)" in Pascal, or "stdout.flush()" in Python.

It is guaranteed that $-10^9 \le a_i \le 10^9$, and the sum of n over all test cases does not ecceed 10^4 .

In this problem, it is guaranteed that the interactor is **non-adaptive**. That is, the values of a_i are decided before the interaction process. They will not be changed based on your queries.

Example

| standard input | standard output |
|----------------|-----------------|
| 2 | |
| 3 | |
| | ? 1 1 |
| 1 | |
| | ? 2 2 |
| 0 | |
| 1 | ? 3 3 |
| 1 | ! 1 -1 1 |
| 5 | |
| | ? 1 3 |
| 4 | |
| | ? 3 5 |
| 5 | |
| | ! 2 -1 3 -4 5 |
| | |
| | |
| | |