

Problem E. Roco Kingdom World

tarjen has recently been playing Roco Kingdom and wants to catch some **shiny spirits**.

To farm shiny spirits, *tarjen* must first repeatedly catch **regular spirits**. Catching regular spirits accumulates the pollution progress of a shiny pool. When the pollution progress reaches the required threshold, a **corrupted spirit** belonging to that pool spawns on the map. After defeating a corrupted spirit, there is a chance to encounter a **shiny spirit**.

However, the number of corrupted spirits on the map is limited. If too many spawn, old corrupted spirits are pushed out by new ones.

Additionally, there is a pity mechanism for shiny encounters. Each shiny pool has an independent pity counter. Each time a corrupted spirit from that pool is defeated, the pool's pity counter increases by one. When a pool's pity counter reaches 80, defeating a corrupted spirit from that pool is guaranteed to trigger a shiny encounter.

The detailed rules are as follows.

There are n types of regular spirits, A families, and B elements. The i -th type of regular spirit belongs to family fa_i and has element el_i .

There are two types of shiny pools:

- **Family pool** F_x : the shiny pool for the x -th family.
- **Element pool** E_x : the shiny pool for the x -th element.

Each shiny pool P maintains four values:

- $progress_P$: pollution progress, initially 0.
- $pity_P$: pity counter, initially 0.
- $need_P$: the number of regular catches needed to spawn one corrupted spirit (a given constant).
- $luck_P$: the luck threshold (a given constant).

At most m corrupted spirits can exist on the map simultaneously. All corrupted spirits are arranged in a queue ordered by spawn time (oldest first). If the count exceeds m , the oldest corrupted spirits are removed from the front until the count is at most m . Corrupted spirits pushed out by the map capacity are not considered defeated and do not affect any pool's pity counter.

There are q operations, each being one of the following two types.

Operation 1: Regular Catch

C T x c

tarjen catches the x -th type of regular spirit c times consecutively, crediting these c catches to a certain shiny pool. If $T = F$, credit to family pool F_{fa_x} ; if $T = E$, credit to element pool E_{el_x} .

Let the credited pool be P . Set $progress_P += c$. Then, whenever $progress_P \geq need_P$, spawn one corrupted spirit belonging to pool P and set $progress_P -= need_P$.

Note that a single catch operation may spawn multiple corrupted spirits.

The newly spawned corrupted spirits are appended to the end of the queue in order. If the count exceeds m , the oldest corrupted spirits are removed from the front.

Operation 2: Defeat Corrupted Spirit

B k r

tarjen challenges the k -th corrupted spirit on the map (ordered from oldest to newest).

If there are fewer than k corrupted spirits on the map, output **MISS** and no state changes occur.

Otherwise, let the corrupted spirit belong to pool P . Remove it from the map and set $pity_P += 1$.

Then perform the **shiny check**. Each pool P has a luck threshold $luck_P$. If $r \leq luck_P$ or $pity_P = 80$, a shiny is encountered: output **SHINY P** and set $pity_P = 0$. Otherwise, output **NORMAL P pity_P**.

Input

The first line contains five integers n, A, B, m, q ($1 \leq n, A, B, m, q \leq 2 \times 10^5$) — the number of regular spirit types, the number of families, the number of elements, the maximum number of corrupted spirits on the map, and the number of operations.

The next n lines each contain two integers fa_i, el_i ($1 \leq fa_i \leq A, 1 \leq el_i \leq B$).

The next line contains A integers $need_{F_1}, \dots, need_{F_A}$ ($1 \leq need_{F_i} \leq 10^9$).

The next line contains B integers $need_{E_1}, \dots, need_{E_B}$ ($1 \leq need_{E_i} \leq 10^9$).

The next line contains A integers $luck_{F_1}, \dots, luck_{F_A}$ ($0 \leq luck_{F_i} \leq 10^9$).

The next line contains B integers $luck_{E_1}, \dots, luck_{E_B}$ ($0 \leq luck_{E_i} \leq 10^9$).

The next q lines each describe an operation in the format **C T x c** ($T \in \{F, E\}, 1 \leq x \leq n, 1 \leq c \leq 10^{18}$) or **B k r** ($1 \leq k \leq 10^{18}, 1 \leq r \leq 10^9$).

Output

For each **B** operation, output one line. If there are fewer than k corrupted spirits on the map, output **MISS**. Otherwise, if a shiny is encountered, output **SHINY F x** or **SHINY E x**; if not, output **NORMAL F x p** or **NORMAL E x p**, where x is the shiny pool index and p is the pool's current pity counter.

Examples

standard input	standard output
5 2 2 5 10 1 2 1 1 2 2 1 1 2 2 2 2 2 3 40 5 4 41 C E 5 9 C E 4 5 B 2 608984673 B 4 918347739 B 4 37535012 C E 5 7 B 1 712704464 C F 4 7 B 3 270899745 B 5 363752455	NORMAL E 2 1 NORMAL E 1 1 MISS NORMAL E 2 2 NORMAL F 1 1 MISS
3 2 1 3 8 1 1 1 1 2 1 2 3 2 0 5 10 C F 1 2 C E 2 4 B 2 50 C F 3 6 B 3 3 B 5 1 C F 1 2 B 3 100	NORMAL E 1 1 SHINY F 2 MISS NORMAL F 1 1

Note

For sample 2:

Let $F1$ denote a corrupted spirit from pool F 1, and $E1$ denote a corrupted spirit from pool E 1.

After the first two catch operations, the corrupted spirits on the map are $[F1, E1, E1]$.

Execute B 2 50: defeat the 2nd spirit ($E1$). $50 > luck_{E1} = 10$ and $pity = 1 \neq 80$, output NORMAL E 1 1.

Then catch the 3rd type of spirit and credit to the family pool, spawning 2 copies of $F2$. Map capacity is 3, so after eviction the map becomes $[E1, F2, F2]$.

Execute B 3 3: defeat the 3rd spirit ($F2$). $3 \leq luck_{F2} = 5$, shiny encountered, output SHINY F 2.

Execute B 5 1: fewer than 5 spirits on the map, output MISS.

The last defeat is $F1$, no shiny encountered, output NORMAL F 1 1.