

Problem H

Tree Hugging

Problem ID: treehugging

Once, two trees forgot their place and started to grow into each other. One of the trees grew from the left, and the other from the right. On n points, they collided.

Numbering the points $1, 2, \dots, n$ from left to right, the left tree ended up connecting all of them in a single subtree rooted in node 1, such that every node's children had larger numbers than the node itself. We can describe this subtree with a list of $n - 1$ edges.

Similarly, the right tree also connected all nodes in a single subtree rooted in node n , with every node's children having smaller numbers than the node itself. This yields an additional $n - 1$ edges.

Now, given the full list of $2(n - 1)$ edges, it is not necessarily easy to tell which edge belongs to which tree. Can you figure out a possible assignment, or determine that it is impossible for this collection to have been the union of two trees?

Input

The first line of input contains the integer n ($2 \leq n \leq 10^5$). The next $2(n - 1)$ lines each contain two integers u, v ($1 \leq u < v \leq n$) indicating an edge joining the two nodes u and v . A pair (u, v) may be connected by more than one edge.

Output

If it is possible for the edges to be the union of two trees that grow left-to-right and right-to-left, output a string of length $2(n - 1)$, where the i 's character is **L** if the i 'th edge should come from the left tree, or **R** if it should come from the right tree. Otherwise, output the word "impossible" on a single line. If there are multiple solutions, you may output any one of them.

Explanation of Sample Inputs

In the first example, there are two solutions: **LLRRRRL** and **LLRLRRL**.

In the second example, there are no solutions. Note that **LRLR** is not valid, because it would involve the right tree growing backward, from left to right.

Sample Input 1	Sample Output 1
5	LLRRRRL
1 2	
2 5	
2 3	
1 3	
3 5	
4 5	
3 4	
1 3	

Sample Input 2**Sample Output 2**

```
3
1 2
1 2
1 3
1 3
```

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impossible
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