# Problem J <br> The Cross Covers Everything 

## Time Limit: 3 seconds

A cross-shaped infinite area on the $x-y$ plane can be specified by two distinct points as depicted on the figure below.


Figure J.1. The cross area specified by two points numbered 2 and 4

Given a set of points on the plane, you are asked to figure out how many pairs of the points form a cross-shaped area that covers all the points. To be more precise, when $n$ points with coordinates $\left(x_{i}, y_{i}\right)(i=1, \ldots, n)$ are given, the ordered pair $\langle p, q\rangle$ is said to cover a point $(x, y)$ if $x_{p} \leq x \leq x_{q}, y_{p} \leq y \leq y_{q}$, or both hold. Your task is to find how many pairs $\langle p, q\rangle$ cover all the $n$ points. No two given points have the same $x$-coordinate nor the same $y$-coordinate.

## Input

The input consists of a single test case of the following format.

$$
\begin{aligned}
& n \\
& x_{1} y_{1} \\
& \vdots \\
& x_{n} y_{n}
\end{aligned}
$$

The first line contains an integer $n\left(2 \leq n \leq 2 \times 10^{5}\right)$, which is the number of points given. Two integers $x_{i}$ and $y_{i}$ in the $i$-th line of the following $n$ lines are the coordinates of the $i$-th point $\left(1 \leq x_{i} \leq 10^{6}, 1 \leq y_{i} \leq 10^{6}\right)$. You may assume that $x_{j} \neq x_{k}$ and $y_{j} \neq y_{k}$ hold for all $j \neq k$.

## Output

Print in a line the number of ordered pairs of points that satisfy the condition.

| 4 |  | 4 |
| :--- | :--- | :--- |
| 2 | 1 |  |
| 1 | 2 |  |
| 6 | 3 |  |
| 5 | 4 |  |

## Sample Input 2 <br> Sample Output 2

```
20
159
1 4 1 3
27
105
11 }1
138
9 3
812
64
1918
121
32
510
1811
419
2016
16 15
14
7
1720
```

Figure J. 1 depicts the cross specified by two points numbered 2 and 4, that are the second and the fourth points of the Sample Input 1. This is one of the crosses covering all the points.

## Amendment

The conditions $x_{p} \leq x_{q}$, and $y_{p} \leq y_{q}$, have to be added to be satisfied for the the ordered pair $\langle p, q\rangle$ that are counted. This was announced during the contest.

