

Problem H. Graph Operation

Input file: *standard input*
 Output file: *standard output*
 Time limit: 1 second
 Memory limit: 1024 mebibytes

You are given two undirected graphs G and H . Both G and H have exactly n vertices and m edges, and the vertices are labeled from 1 to n . Now, you need to change graph G to graph H . You can perform the following operation any number of times:

- First select four distinct vertices $a, b, c,$ and d . You should ensure that $a \sim b, c \sim d$ while $a \not\sim c, b \not\sim d$.
- Delete the edge between a and b , and the one between c and d . Add an edge between a and c and one between b and d .

Here $a \sim b$ means that there exists an edge between a and b , and $a \not\sim b$ means that there doesn't exist an edge between a and b .

Note that you can select a different set of a, b, c, d each time. Please determine whether you can change graph G to graph H . If yes you also need to provide the detailed steps.

Input

The first line of the input contains two integers n and m ($4 \leq n \leq 1000, 0 \leq m \leq \binom{n}{2}$) indicating the number of vertices and edges in graph G and H .

For the following m lines, the i -th line contains two integers u and v where $1 \leq u \neq v \leq n$, indicating that there exists an edge between u and v in graph G .

For the following m lines, the i -th line contains two integers u and v where $1 \leq u \neq v \leq n$, indicating that there exists an edge between u and v in graph H .

Neither graph G nor H has multi-edges or self-loops.

Output

If you cannot change G to H output “-1” (without quotes).

Otherwise first output an integer r ($0 \leq r \leq 3 \times 10^6$) in one line indicating the number of operations you need.

For the following r lines, output four integers a_i, b_i, c_i and d_i in the i -th line separated by a space, indicating that for the i -th operation you choose vertices a_i, b_i, c_i and d_i . Note that a_i, b_i, c_i, d_i must be distinct.

Example

standard input	standard output
4 2	1
1 2	1 2 3 4
3 4	
1 3	
2 4	