# Problem I <br> Error Correction <br> Time limit: 1 second 



You are given $W$, a set of $N$ words that are anagrams of each other. There are no duplicate letters in any word. A set of words $S \subseteq W$ is called "swap-free" if there is no way to turn a word $x \in S$ into another word $y \in S$ by swapping only a single pair of (not necessarily adjacent) letters in $x$. Find the size of the largest swap-free set $S$ chosen from the given set $W$.

## Input

The first line of input contains an integer $N(1 \leq N \leq 500)$. Following that are $N$ lines each with a single word. Every word contains only lowercase English letters and no duplicate letters. All $N$ words are unique, have at least one letter, and every word is an anagram of every other word.

## Output

Output the size of the largest swap-free set.

Sample Input 1

## Sample Output 1

| 6 | 3 |
| :--- | :--- |
| abc |  |
| acb |  |
| cab |  |
| cba |  |
| bac |  |
| bca |  |


| Sample Input 2 | Sample Output 2 |
| :--- | :--- |
| 11 | 8 |
| alerts |  |
| alters |  |
| artels |  |
| estral |  |
| laster |  |
| ratels |  |
| salter |  |
| slater |  |
| staler |  |
| stelar |  |
| talers |  |

## Sample Input 3 <br> Sample Output 3

| 6 | 4 |
| :--- | :--- |
| ates |  |
| east |  |
| eats |  |
| etas |  |
| sate |  |
| teas |  |

