## Not Another Eulerian Number Problem

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 1 second |
| Memory limit: | 1024 megabytes |

For a positive integer $\alpha$, consider the following sequence $a_{1}, a_{2}, \cdots, a_{\alpha n}$ of length $\alpha n$ which satisfies:

- For each $1 \leq k \leq n$, the sequence contains exactly $\alpha$ occurrences of $k$.
- If there exists two integers $i<j$ such that $a_{i}=a_{j}$, then for any $i<k<j$, it holds that $a_{k} \geq a_{i}$.

We call a sequence that satisfies the above requirements an $(n, \alpha)$-order permutation.
Now, given an $\left(n_{0}, \alpha\right)$-order permutation $P=p_{1}, p_{2}, \cdots p_{\alpha n_{0}}$, also given two integers $n$ and $m$, please calculate the number of ( $n, \alpha$ )-order permutations $B=b_{1}, b_{2}, \cdots b_{\alpha n}$ which satisfies:

- $P$ is a subsequence of $B$.
- There are exactly $m$ indices $i$ such that $1 \leq i<\alpha n$ and $b_{i}>b_{i+1}$.

We say $P$ is a subsequence of $B$, if and only if we can obtain $P$ by removing some elements (possibly none or all) from $B$.

## Input

There is only one test case in each test file.
The first line contains four integers $\alpha, n, m, n_{0}\left(1 \leq n \leq 10,0 \leq m<n, 1 \leq n_{0} \leq n, 1 \leq \alpha n \leq 10\right)$.
The second line contains $\alpha n_{0}$ positive integers $p_{1}, p_{2}, \cdots, p_{\alpha n_{0}}\left(1 \leq p_{i} \leq n_{0}\right)$ indicating the given sequence $P$. It is guaranteed that $P$ forms an $\left(n_{0}, \alpha\right)$-order permutation.

## Output

Output one line containing one integer, indicating the number of sequence $B$ that meets the requirements.

## Examples

|  |  | standard input |  | standard output |
| :--- | :--- | :--- | :--- | :--- |
| 1 | 4 | 2 | 2 | 7 |
| 2 | 1 |  | 19 |  |
| 2 | 4 | 2 | 2 |  |
| 1 | 2 | 2 | 1 |  |

