## K: Kinking Cables

Problem Author: Boas Kluiving

- Problem: Connect opposite corners of a rectangle with a cable of length $\ell$ such that
- Line segments do not intersect.
- The coordinate points of the path should not be too close $(<1)$ to each other.


Statistics: 28 submissions, 2 accepted, 18 unknown

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Bonus slide: Honourable mention for team "print(math.tan(float(input())))", for creating a solution without any diagonal lines and just simple arithmetic (which none of the jury members had thought of):


