



Problem

Three people start in three places on a cycle graph and walk around according to a timer. Where can you place them so that they won't ever be in the same place at the same time?

Solution

- A simple solution tries all $O(n^3)$ placements for Tijmen, Annemarie, and Imme and then simulates the $O(n)$ steps recording when each person arrives and departs at the nodes to compare with the others for overlap.
- However, $O(n^4)$ is too slow. We need to do some pre-calculation.
- Conflicts are between two people rather than three. We only need to answer the question `does_intersect(a, b, sa, sb)` for each pair of people a and b .
- So, for each **pair** of people a and b , try all $O(n^2)$ combinations and run the $O(n)$ simulation. Store the result in a table `compatible[a][b][x][y]` for later.
- Using the table, we can try all $O(n^3)$ possibilities in $O(1)$ time each. This is fast enough.

I: Island Tour

Problem Author: Jeroen Bransen



Statistics: 113 submissions, 36 + ? accepted