## Problem C. Territories

```
Input file:
Output file:
Time limit:
Memory limit:
standard input
standard output
1 second
512 mebibytes
```

This time Byteasar researches a wildlife in a nature reserve that has a shape of an $X \times Y$ rectangle. It is divided into $X Y$ unit squares, there is a square with coordinates $(x, y)$ for every $1 \leq x \leq X$ and $1 \leq y \leq Y$.

Our hard-working researcher distinguished $n$ species of animals and discovered that each species dislikes living on some particular rectangle (which is stricly smaller than whole nature reserve). For species number $i$ it is rectangle described by its two opposite corners $\left(x_{i}, y_{i}\right)$ and $\left(x_{i}^{\prime}, y_{i}^{\prime}\right)$, for some $x_{i} \leq x_{i}^{\prime}$ and $y_{i} \leq y_{i}^{\prime}$. We know that there are $c_{i}$ animals in that species. Therefore, there are $S=c_{1}+c_{2}+\ldots+c_{n}$ animals in total.

Byteasar has an idea for a social-natural experiment which relies on putting each of $S$ animals in some cell outside of its disliked region. Sociality of a placement is a number of pairs of animals so that both of them are in the same cell. Hence, if a cell contains $p$ animals, this adds $\frac{p(p-1)}{2}$ to the overall sociality.
It is allowed to put animals from the same species into different cells.
Find the maximum value of the sociality that can be attained.

## Input

The first line of input contains three integers $n, X$ and $Y(1 \leq n \leq 100000,1 \leq X, Y \leq 1000)$ denoting the number of species and dimensions of nature reserve, respectively.
Each of following $n$ lines contains a description of species, $i$-th of them contains five integers $x_{i}, y_{i}, x_{i}^{\prime}, y_{i}^{\prime}, c_{i}$ $\left(1 \leq x_{i} \leq x_{i}^{\prime} \leq X, 1 \leq y_{i} \leq y_{i}^{\prime} \leq Y, 1 \leq c_{i} \leq 1000\right)$ describing region disliked by species number $i$ and number of animals in that species. For each $i$ at least one of the following conditions holds: $x_{i} \neq 1, y_{i} \neq 1, x_{i}^{\prime} \neq X$, $y_{i}^{\prime} \neq Y$

## Output

You need to print one integer - the maximum possible sociality of some placement.

## Examples

| standard input |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| 2 | 1 | 2 |  |  |
| 1 | 1 | 1 | 1 | 3 |
| 1 | 2 | 1 | 2 | 4 |
| 3 | 7 | 3 |  |  |
| 1 | 1 | 3 | 3 | 1 |
| 5 | 1 | 7 | 3 | 1 |
| 3 | 2 | 5 | 3 | 1 |

Explanation to the sample test: In first sample we need to put four animals in a cell $(1,1)$ (contributing $\frac{4 \cdot 3}{2}=6$ to the sociality) and put three remaining animals in a cell $(1,2)$ (contributing $\frac{3 \cdot 2}{2}=3$ to the sociality).
Second sample test is depicted below. All animals can be put in a cell $(4,1)$.


