## Problem H. Hill

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 1 second |
| Memory limit: | 256 mebibytes |

Having stocked up with snowballs, Zenyk and Marichka already wanted to start a game.
But suddenly, Zenyk thought that throwing snowballs on a flat surface is boring. He wanted to build as high as possible hill for himself to climb at it and throw snowballs at Marichka.
Building of a hill isn't easy. Zenyk treated it seriously, took a sheet of paper with coordinate axes, where $y$-axis is directed upwards, and began to draw the cross section of a hill (a front view).
Marichka doesn't want the hill to be too high, so she imposed some constraints at its section.

1. Section must be a polygonal chain.
2. The chain must start at point $\left(x_{0}, y_{0}\right)$ and end at point $\left(x_{n}, y_{n}\right)$.
3. The chain must contain $n$ segments.
4. The length of the $i$-th segment should be $l_{i}$.

Zenyk wants to know the maximum height he of a hill he can make under these constraints, and asks you the maximal $y$-coordinate of the hill's section. Help him find it.

## Input

The first line contains four integers $x_{0}, y_{0}, x_{n}, y_{n}\left(\left|x_{0}\right|,\left|y_{0}\right|,\left|x_{n}\right|,\left|y_{n}\right| \leq 10^{6}\right)$ - coordinates of start and end of the chain.
The second line contains an integer $n\left(1 \leq n \leq 10^{5}\right)$ - number of segments in the chain.
The third line contains $n$ integers $l_{1}, \ldots, l_{n}\left(1 \leq l_{i} \leq 10^{6}\right)$ - lengths of the segments.

## Output

If there is no hill that satisfies these constraints, output "IMPOSSIBLE".
Otherwise, output one real number - the maximum $y$-coordinate of the highest point. The answer will be considered correct if its absolute or relative error doesn't exceed $10^{-7}$.

## Examples

| standard input | standard output |  |  |
| :--- | :--- | :--- | :--- |
| 2 | 3 | 3 | 7.0000000000 |
| 5 | 5 |  |  |
| 474477 |  |  |  |
| 4 | 7 | 7 |  |
| 4 | 7 | IMPOSSIBLE |  |

