## Problem C Crooked Dealing



This week you started a flashy new job in Leeds as a poker dealer. Your task will be to hand out the cards for games. The base pay is not particularly good, but you found out that you can earn a lot from tips if you deal the cards well.

The most generous customers prefer that their opponents at the table don't receive any pairs of cards with the same number; so to keep them happy you will make sure this never happens.

You already know the numbers on every card in the pile, and the number of cards any player must have in their hand. Find how many hands you can make at once without introducing a pair.


Figure C.1: Illustration of a solution to Sample Input 2.

## Input

The input consists of:

- A line with two integers $n$ and $h\left(1 \leq h \leq n \leq 10^{6}\right)$, the number of cards in the pile, and the number of cards in a hand.
- A line with $n$ integers $v_{1}, \ldots, v_{n}\left(1 \leq v_{i} \leq 10^{6}\right.$ for all $\left.i\right)$, the numbers on the cards in no particular order.


## Output

If it is not possible to make any hands at all without introducing a pair, output impossible.
Otherwise, output $k$ lines (where $k$ is the maximum possible number of players) each containing $h$ numbers from the input. You may not use any number any more times than it appears in $v$.

If there are multiple answers with a maximum value of $k$, you may output any one of them.

| Sample Input 1 | Sample Output 1 |
| :---: | :---: |
| 63 | 124 |
| $\begin{array}{llllll}1 & 2 & 1 & 2 & 3\end{array}$ | 123 |

## Sample Input 2 <br> Sample Output 2

| 14 | 3 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 3 | 4 | 1 | 1 | 1 | 2 | 3 | 1 | 2 | 1 | 1 | 5 | 6 | 7 | 1 | 3 |
| 2 | 4 | 1 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 5 | 1 | 2 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 1 | 3 | 7 |  |  |  |  |  |  |  |  |  |  |  |  |  |

## Sample Input 3

Sample Output 3
$\begin{array}{llllllll}8 & 5 & & & & & \\ 1 & 1 & 2 & 2 & 3 & 3 & 4 & 4\end{array}$

