

## Problem K. Kingdoms and Quarantine

Input file: *standard input*  
Output file: *standard output*  
Time limit: 8 seconds  
Memory limit: 512 mebibytes

There are two kingdoms  $A$  (with  $N_1$  cities) and  $B$  (with  $N_2$  cities), and  $M$  bidirectional roads, each connecting a city from  $A$  and a city from  $B$ , such that there is no more than one road connecting any pair of cities.

The cities in the kingdom  $A$  are enumerated from 1 to  $N_1$ , and the cities in the kingdom  $B$  are enumerated from  $N_1 + 1$  to  $N_1 + N_2$ . The roads are enumerated from 1 to  $M$ ; the road  $i$  connects two cities  $a_i$  and  $b_i$ , where  $a_i$  and  $b_i$  satisfy  $1 \leq a_i \leq N_1$  and  $N_1 + 1 \leq b_i \leq N_1 + N_2$ .

Once upon a time, a dangerous virus appeared in one kingdom, so the Kings decided to close some roads.

Let  $D_j$  be the initial number of roads connecting the city  $j$  with other cities, and  $d_j$  be the number of currently active (not closed) roads connecting the city  $j$  with other cities.

The road  $x$  can be closed if and only if following conditions are met **before** closing the road:

- It was not closed before.
- The numbers  $d_{a_x}$  and  $D_{b_x}$  must have the same parity (both even or both odd).
- The numbers  $d_{b_x}$  and  $D_{a_x}$  must have the same parity (both even or both odd).

Find the maximum number of roads that can be closed, and then find a sequence of road closing operations such that this maximum is achieved.

### Input

The first line of input contains three integers,  $N_1$ ,  $N_2$ , and  $M$ : the number of cities in kingdom  $A$ , the number of cities in kingdom  $B$ , and the number of roads, respectively ( $1 \leq N_1, N_2, M \leq 3000$ ,  $1 \leq M \leq N_1 \cdot N_2$ ).

The  $i$ -th of the following  $M$  lines describes the road  $i$  and contains two integers  $a_i$  and  $b_i$  ( $1 \leq a_i \leq N_1$ ,  $N_1 + 1 \leq b_i \leq N_1 + N_2$ ): the numbers of cities connected by that road. You may assume that, for different  $i$  and  $j$ ,  $a_i \neq a_j$  or  $b_i \neq b_j$ .

### Output

On the first line, print the integer  $K$ : the maximum number of roads that can be closed. On the second line, print  $K$  integers  $r_i$  ( $1 \leq r_i \leq M$ ): the numbers of roads to be closed, in the order of closing them.

If there are several optimal answers, print any one of them.

## Examples

standard input	standard output
2 3 5 1 3 1 4 1 5 2 4 2 5	3 1 4 2
1 2 2 1 2 1 3	0
4 3 7 1 5 2 5 2 6 2 7 3 6 4 5 4 7	5 1 7 6 2 4

## Note

In the first example,  $D_1 = 3$ ,  $D_2 = 2$ ,  $D_3 = 1$ ,  $D_4 = 2$ ,  $D_5 = 2$ .

Initially,  $d_1 = 3$ ,  $d_2 = 2$ ,  $d_3 = 1$ ,  $d_4 = 2$ ,  $d_5 = 2$ , so we can close the following roads:

- Road 1 connecting city 1 and city 3.
- Road 4 connecting city 2 and city 4.
- Road 5 connecting city 2 and city 5.

Let us close road 1, then

$d_1 = 2$ ,  $d_2 = 2$ ,  $d_3 = 0$ ,  $d_4 = 2$ ,  $d_5 = 2$ .

After that, the roads that can be closed are the following:

- Road 4 connecting city 2 and city 4.
- Road 5 connecting city 2 and city 5.

Let us close road 4, then

$d_1 = 2$ ,  $d_2 = 1$ ,  $d_3 = 0$ ,  $d_4 = 1$ ,  $d_5 = 2$ .

Now, we can close only road 2, connecting city 1 and city 4.

After that,  $d_1 = 1$ ,  $d_2 = 1$ ,  $d_3 = 0$ ,  $d_4 = 0$ ,  $d_5 = 2$ .

It can be shown that it is impossible to close more than three roads, so the answer is 3.