## Problem C. 0 Tree

Input file: standard input<br>Output file: standard output<br>Time limit: $\quad 2$ seconds<br>Memory limit: $\quad 512$ mebibytes

We have a tree $\langle V, E\rangle$ that consists of $n$ vertices numbered from 1 to $n$. Each vertex $i \in V$ has weight $a_{i}$. Each bidirectional edge $e=\langle u, v\rangle \in E$ has weight $b_{e}$. Here, $a_{i}$ are non-negative integers, and $b_{e}$ are integers.

You can perform at most $4 n$ operations. For each operation, select two vertices $X$ and $Y$, and a nonnegative integer $W$. Consider the shortest path from $X$ to $Y$ (a path is shortest if the number of edges $k$ in it is minimum possible). Let this path consist of $k+1$ vertices ( $v_{0}, v_{1}, v_{2}, \ldots, v_{k}$ ) where $v_{0}=X$, $v_{k}=Y$, and for $0 \leq i<k$, the edges $e_{i}=\left\langle v_{i}, v_{i+1}\right\rangle \in E$. The operation changes the weights as follows:

$$
a_{X} \leftarrow a_{X} \bigoplus W ; \quad a_{Y} \leftarrow a_{Y} \bigoplus W ; \quad b_{e_{i}} \leftarrow b_{e_{i}}+(-1)^{i} \cdot W \text { for } 0 \leq i<k
$$

Here, $\oplus$ denotes the bitwise XOR operation. We can notice that, if $X=Y$, nothing will change.
You need to decide whether it is possible to make all $a_{i}$ and all $b_{e}$ equal to 0 . If it is possible, find a way to do so.

## Input

The first line contains an integer $T(1 \leq T \leq 250)$, the number of test cases. Then $T$ test cases follow.
The first line of each test case contains a single integer $n\left(1 \leq n \leq 10^{4}\right)$, the number of vertices.
The second line contains $n$ non-negative integers $a_{i}\left(0 \leq a_{i}<2^{30}\right)$, the weight on each vertex.
Then $n-1$ lines follow, each of them contains three integers $u_{j}, v_{j}, w_{j}\left(1 \leq u_{j}, v_{j} \leq n,-10^{9} \leq w_{j} \leq 10^{9}\right)$, representing an edge between vertices $u_{j}$ and $v_{j}$ with weight $w_{j}$. It is guaranteed that the given edges form a tree.
It is guaranteed that $\sum n \leq 10^{5}$.

## Output

For each test case, output "YES" on the first line if you can make all $a_{i}$ and all $b_{e}$ equal to 0 with no more than $4 n$ operations. Output "NO" otherwise.
If you can make all weights equal to 0 , output your solution in the following $k+1(0 \leq k \leq 4 n)$ lines as follows.
On the next line, print an integer $k$ : the number of operations you make.
Then print $k$ lines, each line containing three integers $X, Y$, and $W\left(1 \leq X, Y \leq n, 0 \leq W \leq 10^{14}\right)$, representing one operation.
If there are several possible solutions, print any one of them.

## Example

| standard input | standard output |
| :---: | :---: |
| 3 | YES |
| 1 | 0 |
| 0 | NO |
| 2 | YES |
| 23 | 3 |
| $12-2$ | 135 |
| 3 | 237 |
| 541 | 233 |
| $12-5$ |  |
| $23-5$ |  |

