## Problem K. Knight

Input file: standard input
Output file: standard output
Time limit: 2 seconds
Memory limit: 512 mebibytes
There is a chessboard with $n$ rows and $m$ columns. Some squares on the chessboard are broken. There are two knights on the chessboard, controlled by Alice and Bob. The movement of a knight is determined by two parameters $r$ and $c$. On each step, Alice or Bob can move their knight to a square which is $r$ squares away horizontally and $c$ squares vertically, or $r$ squares away vertically and $c$ squares horizontally.
Alice and Bob take turns playing, starting with Alice. On each turn, the player moves his or her knight. However, the player can not move the knight to a square which is broken or is occupied by the other knight.
There is an extra constraint. The configuration of the knights can be viewed as an ordered pair ( $a, b$ ) where $a$ is Alice's square and $b$ is Bob's square. It is forbidden to repeat a configuration which already occurred earlier.
A player loses if he or she can not make a move on his or her turn. Determine the winner if both players play optimally.

## Input

The first line contains four integers $n, m, r$, and $c(1 \leq n, m \leq 1000,0 \leq r<n, 0 \leq c<m)$.
Each of the following $n$ lines contains a string of length $m$. Together, these lines describe the chessboard. There are four types for each square:

- "@": The square is broken.
- ".": The square is not broken.
- " A ": The square is not broken. It is the start position of Alice's knight.
- "B": The square is not broken. It is the start position of Bob's knight.

It is guaranteed that the squares "A" and " B " both occur exactly once on the chessboard.

## Output

Output the name of the winner: "Alice" or "Bob".

## Example

| standard input |  |  |
| :--- | :--- | :--- |
| 2 A 2 a | Alice |  |
| B@. |  |  |

## Note

On the first step, Alice moves the knight to the square $(2,3)$.
On the second step, Bob moves the knight to the square $(1,3)$.
On the third step, Alice moves the knight back to the square $(1,1)$.
On the fourth step, Bob can not move the knight back to the square $(2,1)$, because it will create the ordered pair of squares $(1,1),(2,1)$ which is the same as the position in the beginning. Alice wins.

