## Task: L-triominoes

Luka stumbled upon a rectangular board of height $H$ and width $W$ divided into $W \times H$ unit squares. He quickly noticed that exactly $K$ of those unit squares are missing.

Interestingly enough, Luka just happens to have an infinite supply of $L$-shaped triominoes. Is it possible to tile the given board using these triominoes?


We consider the board to be correctly tiled if each unit square of the board is covered by a triomino square. Additionally, triominoes must not cover any of the missing squares, and should not overlap or stick out of the board. Of course, triominoes can be arbitrarily rotated by multiples of 90 degrees.

## Input

The first line contains three integers $W, H$ and $K(0 \leq K \leq W \cdot H)$ from the task description.
The $i$-th of the next $K$ lines contains two integers $x_{i}\left(1 \leq x_{i} \leq W\right)$ and $y_{i}\left(1 \leq y_{i} \leq H\right)$, representing the coordinates of the $i$-th missing square. The given missing squares are pairwise distinct.

## Output

If Luka can successfully tile the given board, output "YES" in a single line. Otherwise, output "NO" in a single line.

## Scoring

Subtask Score Constraints
$1 \quad 10 \quad 2 \leq W \leq 13,2 \leq H \leq 1000, K \leq 250$
$2 \quad 7 \quad 2 \leq W \leq 13,2 \leq H \leq 10^{9}, K=0$
$3 \quad 11 \quad 2 \leq W \leq 3,2 \leq H \leq 10^{9}, K \leq 250$
$4 \quad 17 \quad 4 \leq W \leq 6,2 \leq H \leq 10^{9}, K \leq 250$
$5 \quad 35 \quad 7 \leq W \leq 13,2 \leq H \leq 10^{9}, K \leq 250$
$620 \quad 2 \leq W \leq 13,2 \leq H \leq 10^{9}, K \leq 250$

## Examples

| input | input | input |
| :--- | :--- | :--- |
| 4 | 3 | 3 |
| 1 | 1 |  |
| 1 | 3 | 2 |
| 4 | 3 | 1 |
| output | 2 | 2 |
| 2 | 1 |  |
| 5 | 1 |  |
| 5 | 2 | 3 |

Clarification of the first example:


Clarification of the second example: Luka cannot place a valid triomino which tiles square $(1,1)$.


Clarification of the third example:


