## Problem E. Game Theory

Input file: standard input
Output file: standard output
Time limit: 1 second
Memory limit: $\quad 512$ mebibytes
For a string $s_{1} \ldots s_{n}$ of $n$ bits (i.e., zeros and ones), Bobo computes the $f$-value of $s_{1} \ldots s_{n}$ by playing the following game.

- If all the bits are zero, the game ends.
- If there are $k$ ones in the bit string, Bobo flips the $k$-th bit, i.e., $s_{k}$.
- The $f$-value of the bit string is the number of flips Bobo has performed before the game ends.

Formally,

- If $s_{1}=\cdots=s_{n}=0, f\left(s_{1} \ldots s_{n}\right)=0$.
- Otherwise, assuming that $k=s_{1}+\cdots+s_{n}, f\left(s_{1} \ldots s_{n}\right)=f\left(s_{1} \ldots s_{k-1} \overline{s_{k}} s_{k+1} \ldots s_{n}\right)+1$ where $\bar{c}$ denotes the flip of the bit $c$ such as $\overline{0}=1$ and $\overline{1}=0$.

Now, Bobo has a bit string $s_{1} \ldots s_{n}$ subjecting to $q$ changes, where the $i$-th change is to flip all the bits among $s_{l_{i}} \ldots s_{r_{i}}$ for given $l_{i}, r_{i}$. Find the $f$-value modulo 998244353 of the bit string after each change.

## Input

The input consists of several test cases terminated by end-of-file. For each test case,
The first line contains two integers $n$ and $q$.
The second line contains $n$ bits $s_{1} \ldots s_{n}$.
For the following $q$ lines, the $i$-th line contains two integers $l_{i}$ and $r_{i}$.

- $1 \leq n \leq 2 \times 10^{5}$
- $1 \leq q \leq 2 \times 10^{5}$
- $s_{i} \in\{0,1\}$ for each $1 \leq i \leq n$
- $1 \leq l_{i} \leq r_{i} \leq n$ for each $1 \leq i \leq q$
- In each input, the sum of $n$ does not exceed $2 \times 10^{5}$. The sum of $q$ does not exceed $2 \times 10^{5}$.


## Output

For each change, output an integer which denotes the $f$-value modulo 998244353.

## Examples

|  | standard input |  | standard output |
| :--- | :--- | :--- | :--- |
| 3 | 2 | 1 |  |
| 010 | 3 |  |  |
| 1 | 2 | 5 |  |
| 2 | 3 |  |  |
| 5 | 1 |  |  |
| 00000 | 5 |  |  |
| 1 |  |  |  |

## Note

For the first test case, the string becomes " 100 " after the first change. $f(100)=f(000)+1=1$. And it becomes " 111 " after the second change. $f(111)=f(110)+1=f(100)+2=f(000)+3=3$.

