## Problem B. Boris and Berta

Time limit: 2 seconds<br>Memory limit: 512 megabytes

Boris is making a quest for his sister Berta. One of the tasks is to find a point on the map that is $n$ meters to the north from their house. But it's too easy if $n$ is specified directly. Boris decided to use miles and cables to specify the distance.
He found out that there are a lot of different miles: from a 500 -meter Chinese mile (called $l i$ ) up to a 11299 -meter Norwegian mile (called mil). And a cable length can be anywhere from 169 to 220 meters.
Boris decided to use an $m$-meter mile and a $c$-meter cable. Now he wants to represent the $n$-meter distance as " $M$ miles and $C$ cables" with non-negative integers $M$ and $C$ as precisely as possible - that is, he wants to minimize $|M \cdot m+C \cdot c-n|$. Help him!

## Input

Three lines contain an integer each: $n$ - the distance to represent, $m$ - the chosen length of a mile, and $c$ - the chosen length of a cable ( $1 \leq n \leq 10^{9} ; 500 \leq m \leq 11299 ; 169 \leq c \leq 220$ ). All values are given in meters.

## Output

Print two non-negative integers $M$ and $C$ - the best approximation for the distance of $n$ meters using the chosen mile and cable lengths. If there are multiple best approximations, print any of them.

## Examples

| standard input | standard output |  |
| :--- | :--- | :--- |
| 1234 | 07 |  |
| 500 | 769 |  |
| 1700 | 16 |  |
| 500 |  |  |

## Note

There are two correct answers to the second example test: " 16 " and " 31 ".

