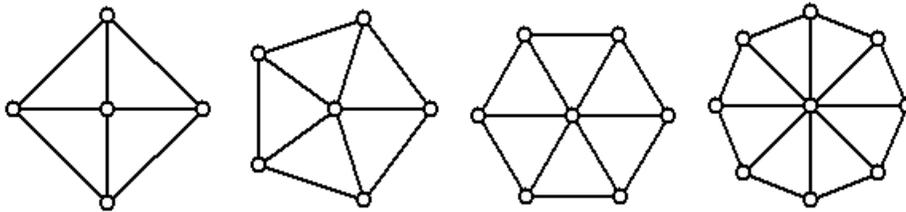
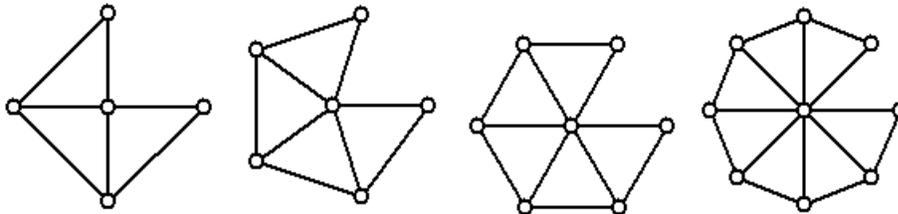


## E • How Many Unicycles in a Broken Wheel (or Unicycle Returns)

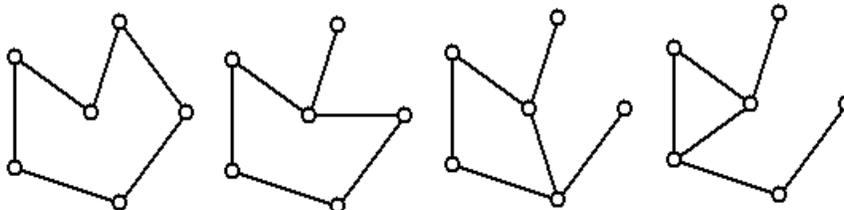
A **Wheel Graph** of size  $n$  is a cycle of  $n$  vertices,  $v[1], \dots, v[n]$  each of which is connected to a center vertex,  $v[0]$ . Examples of wheel graphs of size 4, 5, 6 and 8 are shown below:



A **Broken Wheel Graph** of size  $n$  is a wheel graph of size  $n$  with the edge from  $v[n]$  to  $v[1]$  removed. Examples of broken wheel graphs of size 4, 5, 6 and 8 are shown below:



A **spanning unicycle** in a graph,  $G$ , is a spanning tree in  $G$  with one additional edge added to form a single cycle. Each of the examples below is a spanning unicycle in a broken wheel graph of size 5:



Write a program to compute the number of different unicycles in a broken wheel graph of size  $n$ . Recall that two subgraphs,  $S1$  and  $S2$ , of a graph  $G$  are different if there is at least one edge of  $G$  that is in  $S1$  and not in  $S2$  OR an edge in  $S2$  which is not in  $S1$ .



## Input

Input consists of a single line that contains a decimal integer,  $m$  ( $3 \leq m \leq 4000$ ), which is the size of the wheel graph to find the number of unicycles of.

## Output

The single output line consists of the count of unicycles modulo 100007.

Sample Input	Sample Output
5	19

Sample Input	Sample Output
1234	50380