

Problem J. Justified Jungle

Input file: *standard input*
 Output file: *standard output*
 Time limit: 6 seconds
 Memory limit: 512 mebibytes

As you probably know, a *tree* is a graph consisting of n nodes and $n - 1$ undirected edges in which any two nodes are connected by exactly one path. A *forest* is a graph consisting of one or more trees. In other words, a graph is a forest if every connected component is a tree. A forest is *justified* if all connected components have the same number of nodes.

Given a tree G consisting of n nodes, find all positive integers k such that a justified forest can be obtained by erasing exactly k edges from G . Note that erasing an edge never erases any nodes. In particular when we erase all $n - 1$ edges from G , we obtain a justified forest consisting of n one-node components.

Input

The first line contains an integer n ($2 \leq n \leq 1\,000\,000$) — the number of nodes in G . The k -th of the following $n - 1$ lines contains two different integers a_k and b_k ($1 \leq a_k, b_k \leq n$) — the endpoints of the k -th edge.

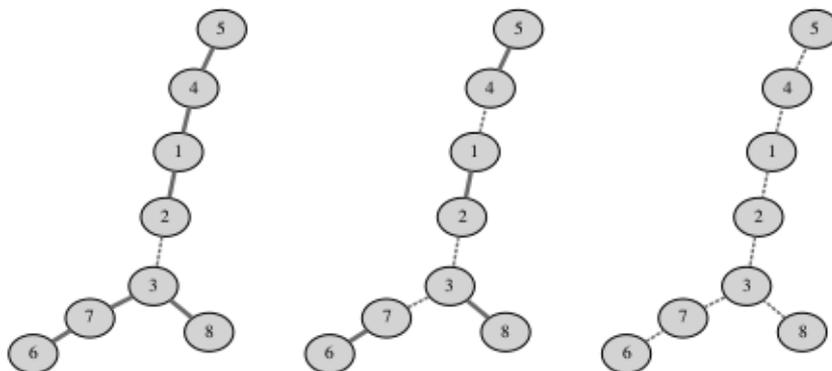
Output

The first line should contain all wanted integers k , in increasing order.

Example

standard input	standard output
8 1 2 2 3 1 4 4 5 6 7 8 3 7 3	1 3 7

Note



Figures depict justified forests obtained by erasing 1, 3 and 7 edges from the tree in the example input.