Problem G. Glad You Came

Input file:	standard input
Output file:	standard output
Time limit:	5 seconds
Memory limit:	256 megabytes

Steve has an integer array a of length n (1-based). He assigned all the elements as zero at the beginning. After that, he made m operations, each of which is to update an interval of a with some value. You need to figure out $\bigoplus_{i=1}^{n} (i \cdot a_i)$ after all his operations are finished, where \bigoplus means the bitwise exclusive-OR operator.

In order to avoid huge input data, these operations are encrypted through some particular approach.

There are three unsigned 32-bit integers X, Y and Z which have initial values given by the input. A random number generator function is described as following, where \wedge means the bitwise exclusive-OR operator, << means the bitwise left shift operator and >> means the bitwise right shift operator. Note that function would change the values of X, Y and Z after calling.

1: function RNG61() 2: $X \leftarrow X \land (X << 11) \triangleright$ 32-bit unsigned integer overflow might occur $X \leftarrow X \land (X >> 4)$ 3: $X \leftarrow X \land (X << 5) \, \triangleright$ 32-bit unsigned integer overflow might occur 4: $X \leftarrow X \land (X >> 14)$ 5: $W \leftarrow X \land (Y \land Z)$ ▷ as a partial 32-bit unsigned integer 6: $X \leftarrow Y$ 7: $Y \leftarrow Z$ 8. $Z \leftarrow W$ 9: return Z10: 11: end function

Let the *i*-th result value of calling the above function as f_i $(i = 1, 2, \dots, 3m)$. The *i*-th operation of Steve is to update a_j as v_i if $a_j < v_i$ $(j = l_i, l_i + 1, \dots, r_i)$, where

$$\begin{cases} l_i &= \min\left((f_{3i-2} \mod n) + 1, (f_{3i-1} \mod n) + 1\right) \\ r_i &= \max\left((f_{3i-2} \mod n) + 1, (f_{3i-1} \mod n) + 1\right) (i = 1, 2, \cdots, m) \\ v_i &= f_{3i} \mod 2^{30} \end{cases}$$

Input

The first line contains one integer T, indicating the number of test cases.

Each of the following T lines describes a test case and contains five space-separated integers n, m, X, Y and Z.

 $1 \le T \le 100, 1 \le n \le 10^5, 1 \le m \le 5 \cdot 10^6, 0 \le X, Y, Z < 2^{30}.$

It is guaranteed that the sum of n in all the test cases does not exceed 10^6 and the sum of m in all the test cases does not exceed $5 \cdot 10^7$.

Output

For each test case, output the answer in one line.

Example

standard input	standard output
4	1031463378
1 10 100 1000 10000	1446334207
10 100 1000 10000 100000	351511856
100 1000 10000 100000 1000000	47320301347
1000 10000 100000 1000000 1000000	

Note

In the first sample, a = [1031463378] after all the operations.

In the second sample, a = [1036205629, 1064909195, 1044643689, 1062944339, 1062944349, 1062944349, 1062944349, 1062944349, 1062944349, 10629449, 10629449, 10629449, 1062944349, 106294449, 106294449, 10629449, 10629449, 10629449, 10629449, 10629449, 10629449, 10629449, 10629449, 10629449, 10629449, 10629449, 10629449, 10629449, 1062944949, 10629449, 10629449, 10629449, 10629