## Problem I. Innocence

Input file:
Output file:
standard input
Time limit:
standard output
Memory limit:
1 second
256 megabytes

David is a young child. He likes playing combinatorial games, for example, the Nim game. He is just an amateur but he is sophisticated with game theory. This time he has prepared a problem for you.
Given integers $N, L, R$ and $K$, you are asked to count in how many ways one can arrange an integer array of length $N$ such that all its elements are ranged from $L$ to $R$ (inclusive) and the bitwise exclusive-OR of them equals to $K$. To avoid calculations of huge integers, print the number of ways in modulo $\left(10^{9}+7\right)$.
In addition, David would like you to answer with several integers $K$ in order to ensure your solution is completely correct.

## Input

The first line contains one integer $T$, indicating the number of test cases.
The following lines describe all the test cases. For each test case:
The first line contains four space-separated integers $N, L, R$ and $Q$, indicating there are $Q$ queries with the same $N, L, R$ but different $K$.
The second line contains $Q$ space-separated integers, indicating several integers $K$.
$1 \leq T \leq 1000,1 \leq N \leq 10^{9}, 0 \leq L \leq R<2^{30}, 1 \leq Q \leq 100,0 \leq K<2^{30}$.
It is guaranteed that no more than 100 test cases do not satisfy $1 \leq N \leq 15,0 \leq L, R, K<2^{15}$.

## Output

For each query, print the answer modulo $\left(10^{9}+7\right)$ in one line.

## Example

|  |  |  | standard input |  | standard output |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 3 |  |  | 2 |  |  |
| 2 | 3 | 4 | 2 |  | 2 |
|  |  |  |  |  |  |
| 3 | 7 |  | 4 | 2 | 4 |
| 3 | 4 |  | 4 |  |  |
| 5 | 5 | 7 | 4 |  | 61 |
| 5 | 6 | 7 | 8 | 61 |  |
|  |  |  | 61 |  |  |

## Note

In the first sample, there are two ways to select one number 3 and one number 4 such that the exclusiveOR of them is 7 .

In the second sample, there are three ways to select one number 3 and two numbers 4 and one way to select three numbers 3 such that the exclusive-OR of them is 3 .

