## E-Exponential Towers

The number 729 can be written as a power in several ways: $3^{6}, 9^{3}$ and $27^{2}$. It can be written as $729^{1}$, of course, but that does not count as a power. We want to go some steps further. To do so, it is convenient to use ' $\sim$ ' for exponentiation, so we define $a^{\wedge} b=a^{b}$. The number 256 then can be also written as $2 \wedge 2^{\wedge} 3$, or as $4 \wedge 2 \wedge 2$. Recall that ' $\sim$ ' is right associative, so $2^{\wedge} 2^{\wedge} 3$ means 2^(2^3).

We define a tower of powers of height $k$ to be an expression of the form $a_{1}{ }^{\wedge} a_{2}{ }^{\wedge} a_{3}{ }^{\wedge} \ldots{ }^{\wedge} a_{k}$, with $k>1$, and integers $a_{i}>1$.

Given a tower of powers of height 3 , representing some integer $n$, how many towers of powers of height at least 3 represent $n$ ?

## Input

The input file contains several test cases, each on a separate line. Each test case has the form $a^{\wedge} b^{\wedge} c$, where $a, b$ and $c$ are integers, $1<a, b, c \leq 9585$.

## Output

For each test case, print the number of ways the number $n=a^{\wedge} b^{\wedge} c$ can be represented as a tower of powers of height at least three.
The magic number 9585 is carefully chosen such that the output is always less than $2^{63}$.

## Example

| input | output |
| :--- | :--- |
| $4^{\wedge} 2^{\wedge} 2$ | 2 |
| $8^{\wedge} 12^{\wedge} 2$ | 10 |
| $8192^{\wedge} 8192^{\wedge} 8192$ | 1258112 |
| $2^{\wedge} 900^{\wedge} 576$ | 342025379 |

