# Problem B <br> Paintball <br> Problem ID: paintball 

Marek and his schoolmates have just finished their studies at the university. They wanted to celebrate it with a game of paintball. After an hour of playing a very strange thing happened - everyone had exactly one bullet left. Marek, being a very curious person, wanted to know whether it's possible that everyone will be hit exactly once provided nobody moves.

## Task

You are given a description of the situation during a paintball game when every player has only one bullet. The description of the game consists of pairs of players who can see each other. If a player can see another player, he can fire at him. Your task is to find a target for each player such that everyone will be hit.

## Input

The first line of input contains two space separated integers $N$ and $M$, satisfying $2 \leq N \leq 1000$ and $0 \leq M \leq$ 5000 , where $N$ is the number of players. Players are numbered $1,2, \ldots, N . M$ lines follow, each line containing two space separated integers $A$ and $B(1 \leq A<B \leq N)$, denoting that players $A$ and $B$ can see each other. Each pair of players appears at most once in the input.

## Output

If there is no assignment of targets such that everyone will be hit, output Impossible. Otherwise output $N$ lines. The $i$-th line should contain the number of the target of the $i$-th player. If there is more than one solution, output any one.

| Sample input 1 | S |  |
| :--- | :--- | :--- |
| 3 | 3 | 2 |
| 1 | 2 | 3 |
| 2 | 3 | 1 |
| 1 | 3 |  |

Sample input 2

## Sample output 2

| 3 | 2 |
| :--- | :--- |
| 1 | 2 |
| 1 | 3 |

1
1
1
13

