## Problem H

You are playing the game Nudgémon, a common element of which is Nudgémon battles. In a battle, you and your opponent each start by sending out a Nudgémon of your choice, and then take turns attacking the opposing Nudgémon.

Each attack has a type (an integer between 1 and $n$ ), and the opposing Nudgémon also has either one or two types. Depending on these types, the attack will do different amounts of damage.

When an attack of type $i$ hits a Nudgémon with single type $j$, the attack gets a damage multiplier $a(i, j)$, where $a$ is a type matchup table consisting of entries in $\{0,0.5,1,2\}$. If it hits a Nudgémon with double types $j$ and $k$, it gets a damage multiplier of $a(i, j) \cdot a(i, k)$.

Depending on the value $v$ of the damage multiplier, the game will emit different messages:

| $v=0$ | It had no effect. | x |
| :---: | :--- | :---: |
| $0<v<1$ | It's not very effective... | - |
| $v=1$ | <no message> | $=$ |
| $v>1$ | It's super effective! | + |

You are new to this game and do not know what the table $a$ looks like. Trying to learn its first row, you have gathered some observations about the game's output when attacking various Nudgémon with attacks of type 1 . Now you are trying to reconstruct the first row in a way that is consistent with this data.

## Input

The first line of input contains two integers $n$ and $m\left(1 \leq n \leq 10^{5}, 1 \leq m \leq 10^{5}\right)$, where $n$ is the number of types and $m$ is the number of observations.

Then follow $m$ lines, each containing two integers $i, j$ and a character $c(1 \leq i, j \leq n$ and $c$ is one of $\mathrm{x},-,=$ or + ), where $c$ is the observed effect when attacking a Nudgémon with types $i$ and $j$, as indicated in the table above. If $i=j$, the Nudgémon has just a single type.

## Output

Output a single line with $n$ characters, each either $\mathrm{x},-,=$ or + . The $i$ th character should describe the effect of attacking a Nudgémon of type $i$ with an attack of type 1 .

If there are multiple valid solutions, you may output any one of them. It is guaranteed that at least one solution exists.

Sample Input 1
Sample Output 1

| 5 | 5 |  |
| :--- | :--- | :--- |
| 1 | 2 | - |
| 2 | 4 | - |
| 4 | 5 | $x$ |
| 2 | 3 | $=-+=x$ |
| 3 | 4 |  |

