## Problem A. Where is the legend?

Input file:
Output file:
Time limit:
Memory limit:
standard input
standard output
2 seconds
256 megabytes

Given an array $a$ of $n$ positive integers. In one operation, you can remove a number from the array $a$, if it is equal to the arithmetic mean of its neighbors. However, you can not remove the first and last numbers of the array. Formally, you can remove the number $a_{i}$, if $a_{i}=\frac{a_{i-1}+a_{i+1}}{2}$. For example, if you remove 6 from an array $[1,3,6,9,4]$, the resulting array would be $[1,3,9,4]$.
What is the shortest possible length of the array you could get using the operation described above some number of times(maybe, zero)?

## Input

The first line contains one integer $t\left(1 \leq t \leq 10^{3}\right)$ - the number of test cases.
The next $2 \cdot t$ lines are in the following pattern:
First line of each test case contains one number $n\left(3 \leq n \leq 3 \cdot 10^{5}\right)$ - the length of an array $a$.
The second line of each test case contains $n$ numbers $a_{1}, \ldots, a_{n}\left(1 \leq a_{i} \leq 10^{9}\right.$, for each $i$, where $\left.1 \leq i \leq n\right)$. It is guaranteed, that the sum of $n$ across all test cases does not exceed $3 \cdot 10^{5}$.

## Output

For each test case print one number - the shortest possible length of the array $a$, that you could get by using described operation.

## Scoring

Let $S$ be the sum of $n$ over all test cases.

| Subtask | Additional constraints | Score | Necessary subtasks |
| :---: | :---: | :---: | :---: |
| 0 | Examples | 0 | - |
| 1 | $n \leq 15, S \leq 400$ | 14 | 0 |
| 2 | $a_{i}=i$ | 13 | - |
| 3 | $a_{i} \leq 3$ | 9 | - |
| 4 | $n \leq 300, S \leq 1000$ | 17 | 1 |
| 5 | $n \leq 3000, S \leq 10000$ | 18 | 4 |
| 6 | - | 29 | $2,3,5$ |

## Example

| standard input | standard output |
| :---: | :---: |
| 3 | 2 |
| 5 | 4 |
| 12345 | 2 |
| 7 |  |
| 13567810 |  |
| 3 |  |
| 111 |  |

## Note

For example, in the array $[1,2,4]$, there are no possible operations, since $\frac{1+4}{2}=2.5 \neq 2$.

