

## Problem L. The Firm Knapsack Problem

Time limit: 1 second  
Memory limit: 512 megabytes

The Knapsack problem is a classic problem in Computer Science.

It is stated the following way. There are  $n$  items, for each item you know its weight  $w_i$  and cost  $cost_i$ . Also you know the capacity of the knapsack  $W$  — the upper limit for the total weight of taken items. The task is to select several items with total weight at most  $W$  so that their total cost is as large as possible.

In this problem you don't have to solve the classic Knapsack problem. The jury has already solved it and found the exact answer:  $x$  is the maximal possible total cost of items that fit into a knapsack of capacity  $W$ . The jury doesn't tell you this value.

Your task is to solve The Firm Knapsack Problem. Now the knapsack of claimed capacity  $W$  can hold the weight of items up to  $\frac{3}{2}W$ . You need to solve the problem with this weakened constraint not worse than the jury have solved the problem with the original constraint  $W$ .

In other words, you need to find a set of items with total cost at least  $x$  and total weight at most  $\frac{3}{2}W$ .

You are to solve the problem for  $t$  test cases.

### Input

The first line contains the number of test cases. Then follow the tests in the following format.

The first line of the test case contains two integers  $n$  and  $W$  ( $1 \leq n \leq 10^5$ ;  $1 \leq W \leq 10^{12}$ ) — the number of items and the claimed capacity of the knapsack.

The next  $n$  lines describe items. Each line contains two integers  $w_i$  and  $cost_i$  ( $1 \leq w_i, cost_i \leq 10^6$ ) — the weight and the cost of an item.

The sum of  $n$  over all test cases is at most  $10^5$ .

### Output

For each test case, output the selected set of items for weight constraint  $\frac{3}{2}W$  in the following format.

The first line should contain the number of taken items.

The second line should contain the indices of taken items  $i_1 i_2 \dots i_k$  ( $1 \leq i_j \leq n$ ). All indices  $i_j$  should be distinct. Items are numbered from 1 to  $n$  in the same order as they are given in the input.

If there are several solutions, output any one of them.

### Example

standard input	standard output
3	3
3 10	3 1 2
5 100	1
5 100	2
4 99	1
3 100	2
97 100	
98 101	
99 90	
3 100	
55 100	
99 150	
200 200	