## Problem B. Independent Feedback Vertex Set

Input file: standard input<br>Output file: standard output

Yukikaze loves graph theory, especially forests and independent sets.

- Forest: an undirected graph without cycles.
- Independent set: a set of vertices in a graph such that for every two vertices, there is no edge connecting the two.

Yukikaze has an undirected graph $G=(V, E)$ where $V$ is the set of vertices and $E$ is the set of edges. Each vertex in $V$ has a vertex weight. Now she wants to divide $V$ into two complementary subsets $V_{I}$ and $V_{F}$ such that $V_{I}$ is an independent set, and the induced subgraph $G\left[V_{F}\right]$ is a forest. The induced subgraph $G\left[V_{F}\right]$ is the graph whose vertex set is $V_{F}$ and whose edge set consists of all of the edges in $E$ that have both endpoints in $V_{F}$. In addition, she wants to maximize the sum of weights of vertices in $V_{I}$.
Since this problem is NP-hard for general graphs, she decides to solve a special case of the problem. We can build a special graph by the following steps. Initially, the graph consists of three vertices $1,2,3$ and three edges $(1,2),(2,3),(3,1)$. When we add a vertex $x$ into the graph, we select an edge $(y, z)$ that already exists in the graph and connect $(x, y)$ and $(x, z)$. Keep doing this until there are $n$ vertices in the graph.

## Input

The first line of the input contains a single integer $T\left(1 \leq T \leq 10^{3}\right)$, indicating the number of test cases.
The first line of each test case contains a single integer $n\left(4 \leq n \leq 10^{5}\right)$, indicating the number of vertices in the graph. It is guaranteed that the sum of $n$ over all test cases won't exceed $10^{6}$.
The second line of each test case contains $n$ positive integers $a_{1}, a_{2}, \ldots, a_{n}\left(1 \leq a_{i} \leq 10^{9}\right)$, indicating the weights of the vertices.
Initially, the graph consists of three vertices $1,2,3$ and three edges $(1,2),(2,3),(3,1)$. The $i$-th line of the next $n-3$ lines contains two integers $u, v(1 \leq u, v<i+3)$, indicating the addition of a vertex $i+3$ and two edges $(i+3, u),(i+3, v)$ to the graph. It is guaranteed that $(u, v)$ already exists in the graph.

## Output

For each test case, print an integer in a single line indicating the maximum sum of weights of vertices in $V_{I}$.

## Example

|  |  |  |  | standard input |  | standard output |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 3 |  |  |  |  | 4 |  |
| 4 |  |  |  | 5 |  |  |
| 3 | 3 | 2 | 2 |  | 3 |  |
| 1 | 2 |  |  |  |  |  |
| 4 |  |  |  |  |  |  |
| 2 | 5 | 5 | 2 |  |  |  |
| 2 | 3 |  |  |  |  |  |
| 5 |  |  |  |  |  |  |
| 3 | 1 | 1 | 1 | 1 |  |  |
| 1 | 2 |  |  |  |  |  |
| 1 | 3 |  |  |  |  |  |

