InfO(1) CUP 2019
EDIȚIA a III-a
RUNDA NAȚIONALĂ
$\underset{\llcorner-\operatorname{P}}{\sim}$
SUBWAY

## Subway

Time limit: 1 second Memory limit: $\mathbf{2 5 6}$ MB

Given an integer number K , generate a tree with minimum number of nodes such that there are exactly $K$ pairs of nodes $(X, Y)$, where $X$ is an ancestor of $Y$.

## Input

The input (from the console) will contain a single integer number, K - the number of pairs with the specified property.

## Output

The output (to the console) will contain N+1 lines, representing the generated tree, the nodes being indexed from 0 .

The first line will contain the number N - the number of nodes in the tree.
The following $N$ lines will contain each 2 numbers $X$ and $T$, separated by a space, with the following meaning: node $T$ is the direct ancestor of node $X$. If node $X$ doesn't have a direct ancestor, T will have value -1 .

## Constraints

| Subtask | Score | Restrictions |
| :---: | :---: | :---: |
| 1 | 20 points | $0 \leq K \leq 50$ |
| 2 | 30 points | $0 \leq K \leq 500$ |
| 3 | 50 points | $0 \leq K \leq 10^{9}$ |

For every test, you will get:

1. $100 \%$ points if $N_{\text {participant }}=N_{\text {committee }}$
2. $80 \%$ points if $N_{\text {participant }} \in\left[N_{\text {committee }}+1, N_{\text {committee }}+2\right]$
3. $\mathrm{P} \%$ points if $N_{\text {participant }} \geq N_{\text {committee }}+3$, unde $P=\frac{N_{\text {committee }}+3}{N_{\text {participant }}} * 50$

Note: $N_{\text {committee }}$ is the minimum number of nodes that a tree with the specified property can be generated with.

SUBWAY

## EXEMPLES

| Input (from the console) | Output (to the console) |
| :--- | :--- |
| 2 | 3 |
|  | $0-1$ |
|  | 10 |
|  | 20 |

Details:


There are 2 pairs $(X, Y)$, such that $X$ is the ancestor of $Y$ :

1. $(X, Y)=(0,1)$
2. $(X, Y)=(0,2)$

| Input (from the console) | Output (to the console) |
| :--- | :--- |
| 4 | 4 |
|  | $0-1$ |
|  | 10 |
|  | 20 |
|  | 32 |

Details:


There are 4 pairs $(X, Y)$, such that $X$ is the ancestor of $Y$ :

1. $(X, Y)=(0,1)$
2. $(X, Y)=(0,2)$
3. $(X, Y)=(0,3)$
4. $(X, Y)=(2,3)$
