## Problem E. Flow

Input file: standard input
Output file: standard output
Time limit: 1 second
Memory limit: 256 mebibytes

One of Pang's research interests is the maximum flow problem.
A directed graph $G$ with $n$ vertices is universe if the following condition is satisfied:

- $G$ is the union of $k$ vertex-independent simple paths from vertex 1 to vertex $n$ of the same length.

A set of paths is vertex-independent if they do not have any internal vertex in common.
A vertex in a path is called internal if it is not an endpoint of that path.
A path is simple if its vertices are distinct.
Let $G$ be a universe graph with $n$ vertices and $m$ edges. Each edge has a non-negative integral capacity. You are allowed to perform the following operation any (including 0 ) times to make the maximum flow from vertex 1 to vertex $n$ as large as possible:

Let $e$ be an edge with positive capacity. Reduce the capacity of $e$ by 1 and increase the capacity of another edge by 1 .

Pang wants to know what is the minimum number of operations to achieve it?

## Input

The first line contains two integers $n$ and $m(2 \leq n \leq 100000,1 \leq m \leq 200000)$.
Each of the next $m$ lines contains three integers $x, y$ and $z$, denoting an edge from $x$ to $y$ with capacity $z(1 \leq x, y \leq n, 0 \leq z \leq 1000000000)$.
It's guaranteed that the input is a universe graph without multiple edges and self-loops.

## Output

Output a single integer - the minimum number of operations.

## Examples

|  |  | standard input |  | standard output |
| :--- | :--- | :--- | :--- | :--- |
| 4 | 3 |  | 1 |  |
| 1 | 2 | 1 |  |  |
| 2 | 3 | 2 |  | 1 |
| 3 | 4 | 3 |  |  |
| 4 | 4 |  |  |  |
| 1 | 2 | 1 |  |  |
| 1 | 3 | 1 |  |  |
| 2 | 4 | 2 |  |  |
| 3 | 4 | 2 |  |  |

