## Problem L. Lisa's Sequences

Time limit: $\quad 5$ seconds
Memory limit: 1024 megabytes
Lisa loves playing with the sequences of integers. When she gets a new integer sequence $a_{i}$ of length $n$, she starts looking for all monotone subsequences. A monotone subsequence $[l, r]$ is defined by two indices $l$ and $r(1 \leq l<r \leq n)$ such that $\forall i=l, l+1, \ldots, r-1: a_{i} \leq a_{i+1}$ or $\forall i=l, l+1, \ldots, r-1: a_{i} \geq a_{i+1}$.
Lisa considers a sequence $a_{i}$ to be boring if there is a monotone subsequence $[l, r]$ that is as long as her boredom threshold $k$, that is when $r-l+1=k$.
Lucas has a sequence $b_{i}$ that he wants to present to Lisa, but the sequence might be boring for Lisa. So, he wants to change some elements of his sequence $b_{i}$, so that Lisa does not get bored playing with it. However, Lucas is lazy and wants to change as few elements of the sequence $b_{i}$ as possible. Your task is to help Lucas find the required changes.

## Input

The first line of the input contains two integers $n$ and $k\left(3 \leq k \leq n \leq 10^{6}\right)$ - the length of the sequence and Lisa's boredom threshold. The second line contains $n$ integers $b_{i}\left(1 \leq b_{i} \leq 99999\right)$ - the original sequence that Lucas has.

## Output

On the first line output an integer $m$ - the minimal number of elements in $b_{i}$ that needs to be changed to make the sequence not boring for Lisa. On the second line output $n$ integers $a_{i}\left(0 \leq a_{i} \leq 100000\right)$, so that the sequence of integers $a_{i}$ is not boring for Lisa and is different from the original sequence $b_{i}$ in exactly $m$ positions.

## Examples

| standard input | standard output |
| :---: | :---: |
| 53 | 2 |
| 12345 | 10305 |
| 63 | 3 |
| 111111 | 11000000101 |
| 64 | 1 |
| 114411 | 114011 |
| 64 | 2 |
| 444222 | 440202 |
| 64 | 1 |
| 444344 | 44100000344 |
| 84 | 2 |
| 21133112 | 21130102 |
| 104 | 2 |
| 1112211221 | 11100000221000001221 |
| 75 | 0 |
| 5443444 | 5443444 |
| 1010 | 1 |
| $\begin{array}{llllllllllll}1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1\end{array}$ | $\begin{array}{lllllllllll}1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 & 0 & 1\end{array}$ |

