## Problem E. Color the Tree

There is a rooted tree of $n$ vertices. The vertices are numbered from 1 to $n$ (both inclusive) and the tree is rooted at 1 . All of the $n$ vertices are white at the beginning and you need to color all the vertices black.

To help you achieve the goal we will provide you with $n$ types of operations, numbered from 0 to $(n-1)$ (both inclusive). Operation $i(0 \leq i \leq n-1)$ requires you to first select a vertex $u$, then color all the vertices $v$ satisfying the following conditions black:

- Vertex $v$ is in the subtree rooted at $u$, which means $u=v$ or $u$ is an ancestor of $v$.
- The distance between vertices $u$ and $v$ is exactly $i$. Here the distance between $u$ and $v$ is the minimum number of edges we need to go through to reach $v$ from $u$.

The cost of performing operation $i$ once is given as $a_{i}$. A vertex can be colored more than once and all operations can be performed any number of times. Calculate the minimum total cost to color all the vertices black.

## Input

There are multiple test cases. The first line of the input contains an integer $T$ indicating the number of test cases. For each test case:
The first line contains an integer $n\left(2 \leq n \leq 10^{5}\right)$ indicating the size of the tree.
The second line contains $n$ integers $a_{0}, a_{1}, \cdots, a_{n-1}\left(1 \leq a_{i} \leq 10^{9}\right)$ where $a_{i}$ indicates the cost of performing operation $i$ once.
For the following $(n-1)$ lines, the $i$-th line contains two integers $u_{i}$ and $v_{i}\left(1 \leq u_{i}, v_{i} \leq n, u_{i} \neq v_{i}\right)$ indicating an edge connecting vertices $u_{i}$ and $v_{i}$.
It's guaranteed that the sum of $n$ of all test cases will not exceed $3 \times 10^{5}$.

## Output

For each test case output one line containing one integer indicating the minimum total cost to color the tree black.

## Example

| standard input | standard output |
| :---: | :---: |
| 3       <br> 4       <br> 10 15 40 1    <br> 1 2      <br> 2 3      <br> 2 4      <br> 5       <br> 10 5 1 100 1000   <br> 1 2      <br> 2 3      <br> 2 4      <br> 4 5      <br> 4       <br> 1000 200 10 8    <br> 1 2      <br> 2 3      <br> 3 4      | $\begin{aligned} & 35 \\ & 17 \\ & 1218 \end{aligned}$ |

## Note

The first sample test case is illustrated below. The answer is $15+10+10=35$.


The second sample test case is illustrated below. The answer is $5+10+1+1=17$.


