Problem L. Directed Vertex Cacti

Input file:	`standard input`
Output file:	`standard output`
Time limit:	1 second
Memory limit:	256 megabytes

You are given integers n and m.

Count the number of directed graphs G without loops and multiple edges that satisfy all of the following:

- G contains exactly n vertices, labeled $1, \ldots, n$.
- Every vertex lies on at most one simple cycle.
- There are exactly m edges that do not belong to any cycle.

Two graphs are considered different if there exist vertices with labels u and v such that the edge $u \to v$ exists in one graph, but not the other.

A simple cycle is a directed cycle that visits each vertex at most once.

Input

The only line of the input contains two integers n and m ($1 \le n, m \le 10^6$).

Output

Print the answer to the problem modulo $10^9 + 9$.

Examples

standard input	standard output
3 1	18
4 4	360
39847 348708	983575456

Note

The phrase "without multiple edges" means that there can't be two different edges of the form $u \to v$. However, it is allowed to have an edge $u \to v$ and an edge $v \to u$.