## Problem A. Ring Road

Input file:<br>Output file:<br>standard input<br>Time limit:<br>standard output<br>Memory limit<br>7 seconds<br>1024 mebibytes

KOI City consists of $N$ intersections and $N-1$ two-way roads. You can travel between two different intersections using only the given roads. In other words, the city's road network forms a tree structure. Roads are on a two-dimensional plane, and two roads do not intersect at locations other than the endpoints. Each road has an non-negative integer weight. This weight represents the time it takes to use the road.

KOI City was a small town until a few decades ago but began to expand rapidly as people arrived. In the midst of rapid expansion, the mayor had numbered the intersections between 1 and $N$ for administrative convenience. The number system satisfies the following properties.

- Intersection 1 is the center of the city and is incident to at least 2 roads.
- The numbers assigned to intersections form one of the pre-orders of the tree rooted at intersection 1: for any subtree, the number of its root is the least number in that subtree.
- For each intersection, consider the lowest-numbered intersection among all adjacent (directly connected by road) intersections. When you list all adjacent intersections in a counterclockwise order starting from this intersection, the numbers go in increasing order.

With a large influx of people to KOI City, the traffic congestion problem has intensified. To solve this problem, the mayor connected the outermost cities with the outer ring road. Let $\left\{v_{1}, v_{2}, \ldots, v_{k}\right\}$ be the increasing sequence of numbers of all the intersections incident to exactly one road. For each $1 \leq i \leq k$, the mayor builds a two-way road between intersection $v_{i}$ and intersection $v_{(i \bmod k)+1}$. The weight of each road is a nonnegative integer $w_{i}$. Due to the nature of the numbering system, you can observe that the outer ring road can be added in a two-dimensional plane in a way such that two roads do not intersect at any location except at the endpoint.

You are trying to build a navigation system for KOI city. The navigation system should answer $Q$ queries of the form $(u, v)$. For each query, the navigation system should return the shortest time it takes to move from intersection $u$ to intersection $v$. The time to move through a path equals the sum of the weights of edges in the path.
Given a road network structure, write a program that efficiently answers $Q$ queries.

## Input

The first line contains the number of intersections $N$ in the KOI City ( $4 \leq N \leq 100000$ ).
Each of the next $N-1$ lines contains two space-separated integers $p_{i}$ and $c_{i}$. They indicate that there is a two-way road with weight $c_{i}$ connecting intersection $p_{i}$ and intersection $i+1\left(1 \leq p_{i} \leq i, 0 \leq c_{i} \leq 10^{12}\right)$.
Let $k$ be the number of intersections incident to exactly one road in the original tree, and let $\left\{v_{1}, v_{2}, \ldots, v_{k}\right\}$ be the increasing sequence of their numbers. On the next line, $k$ space-separated integers $w_{1}, w_{2}, \ldots, w_{k}$ are given. This indicates that the weight of the outer ring road connecting the intersection $v_{i}$ and intersection $v_{(i \bmod k)+1}$ is $w_{i}\left(0 \leq w_{i} \leq 10^{12}\right)$.
The next line contains the number of queries $Q(1 \leq Q \leq 250000)$.
Each of the next $Q$ lines contains two integers $u$ and $v$ denoting the intersections of interest $(1 \leq u, v \leq N$ and $u \neq v$ ).

## Output

For each query, print a line with a single integer: the shortest time to move from $u$ to $v$.

## Examples

|  | standard input |  |
| :--- | :--- | :--- |
| 4 |  | 9 |
| 1 | 9 | 8 |
| 1 | 8 | 0 |
| 1 | 0 | 9 |
| 9 | 9 | 9 |
| 6 |  | 9 |
| 1 | 2 | 8 |
| 1 | 3 |  |
| 1 | 4 |  |
| 2 | 3 |  |
| 2 | 4 |  |
| 3 | 4 |  |


| standard input | standard output |
| :---: | :---: |
| 11 | 7 |
| 19 | 8 |
| 18 | 8 |
| 30 | 7 |
| 47 | 7 |
| 41 | 7 |
| 36 | 0 |
| 10 | 7 |
| 87 | 1 |
| 81 | 7 |
| 106 | 7 |
| 000000 | 7 |
| 21 | 1 |
| 12 | 7 |
| 13 | 0 |
| 14 | 7 |
| 15 | 0 |
| 16 | 8 |
| 17 | 1 |
| 18 | 6 |
| 19 | 0 |
| 110 |  |
| 111 |  |
| 71 |  |
| 82 |  |
| 93 |  |
| 104 |  |
| 115 |  |
| 16 |  |
| 27 |  |
| 38 |  |
| 49 |  |
| 510 |  |
| 611 |  |


| standard input | standard output |
| :---: | :---: |
| 11 | 9 |
| 19 | 8 |
| 18 | 8 |
| 30 | 15 |
| 47 | 9 |
| 41 | 14 |
| 36 | 0 |
| 10 | 7 |
| 87 | 1 |
| 81 | 7 |
| 106 | 14 |
| 10000000000001000000000000 | 9 |
| 10000000000001000000000000 | 15 |
| 10000000000001000000000000 | 9 |
| 21 | 22 |
| 12 | 9 |
| 13 | 23 |
| 14 | 8 |
| 15 | 15 |
| 16 | 16 |
| 17 | 16 |
| 18 |  |
| 19 |  |
| 110 |  |
| 111 |  |
| 71 |  |
| 82 |  |
| 93 |  |
| 104 |  |
| 115 |  |
| 16 |  |
| 27 |  |
| 38 |  |
| 49 |  |
| 510 |  |
| 611 |  |

## Note

In the third sample, the line with $w_{1}, w_{2}, \ldots, w_{k}$ (in red) is split into several lines for readability.


The picture on the left corresponds to the first sample. The picture on the right corresponds to the second and third samples.

