



Problem B. Classical Counting Problem

Input file:	standard input
Output file:	standard output
Time limit:	2 seconds
Memory limit:	512 mebibytes

For an upcoming contest, n problems are proposed. Problem i has an initial integer score of a_i points.

There are m judges who will vote for problems they like. Each judge will choose exactly v problems, independently from other judges, and increase the score of each chosen problem by 1.

After all m judges cast their vote, the problems will be sorted in non-increasing order of score, and the first p problems will be chosen for the problemset, for some p between 1 and n. Problems with the same score can be ordered arbitrarily (this order is decided by the contest director).

How many different problemsets are possible? Print this number modulo 998 244 353. Two problemsets are considered different if some problem belongs to one of them but not to the other.

Input

Each test contains multiple test cases. The first line contains the number of test cases $t \ (1 \le t \le 50)$. The description of the test cases follows.

The first line of each test case contains three integers n, m, and v, denoting the number of problems, the number of judges, and the number of problems every judge will vote for $(2 \le n \le 100; 1 \le m \le 100; 1 \le v \le n-1)$.

The second line contains n integers a_1, a_2, \ldots, a_n , denoting the initial scores of the problems $(0 \le a_i \le 100)$.

It is guaranteed that the sum of n over all test cases does not exceed 100.

Output

For each test case, print the number of possible problemsets, modulo 998 244 353.

Example

standard input	standard output
6	5
3 1 2	6
1 2 3	1023
3 2 1	23
1 2 3	19
10 1 1	240
0 0 0 0 0 0 0 0 0 0	
612	
2 1 1 3 0 2	
615	
2 1 1 3 0 2	
10 4 8	
7 2 3 6 1 6 5 4 6 5	

Note

In the first test case, all possible problemsets are $\{2\}$, $\{3\}$, $\{1,3\}$, $\{2,3\}$, and $\{1,2,3\}$. In the second test case, all possible problemsets are $\{1\}$, $\{2\}$, $\{3\}$, $\{1,3\}$, $\{2,3\}$, and $\{1,2,3\}$. In the third test case, any non-empty subset of problems is a possible problemset.