## Problem E. CCPC String

Input file:
Output file:
Time limit:
Memory limit:
standard input
standard output
1 second
1024 megabytes

To prepare a task for the CCPC Final, Little Cyan Fish is studying basic string theory. Today, Little Cyan Fish has learned the concept of the CCPC string. A string $s$ is called a CCPC string if and only if there exists a positive integer $t \geq 1$, such that $s=\mathrm{c}^{2 t} \mathrm{pc} c^{t}$.
Here, $\mathrm{c}^{k}$ represents the string consisting of the character c repeated $k$ times, and $u v$ denotes the string obtained by concatenating strings $u$ and $v$. For example, ccpc, ccccpcc, and ccccccpccc are CCPC strings, but $\mathrm{p}, \mathrm{cpc}, \mathrm{ccpcc}, ~ с c p p c$, and $c c c p c$ are not.
Now, Little Cyan Fish has a string $S$ consisting of c, p, and question marks (?). He wants to calculate the number of pairs of integers $(l, r)$ that satisfy the following conditions:

- $1 \leq l \leq r \leq|S|$
- for the string $T=S[l \cdots r]$, it is possible to replace the question marks (?) to c or p , so that the string is an CCPC string.


## Input

There are multiple test cases. The first line contains one integer $T\left(1 \leq T \leq 10^{5}\right)$, representing the number of test cases.
For each test case, the first line contains a single string $S$. The string $S$ consists only of the English letters $\mathrm{c}, \mathrm{p}$, and the question mark (?).
It is guaranteed that the sum of $|S|$ over all test cases does not exceed $10^{6}$.

## Output

For each test case, output a single line consists a single integer, indicating the answer.

## Example

| standard input | standard output |
| :--- | :--- |
| 5 | 1 |
| ?cpc | 1 |
| ccp?? | 4 |
| ???c??? | 5 |
| ?c???cp?? | 14 |
| ?c?????cccp???? |  |

## Note

In the first example, all valid pairs of $(l, r)$ are as follows.

| $l=$ | $r=$ | $S[l \cdots r]$ | Replaced String |
| :---: | :---: | :---: | :---: |
| 1 | 4 | $? \mathrm{cpc}$ | ccpc |

In the second example, all valid pairs of $(l, r)$ are as follows.

| $l=$ | $r=$ | $S[l \cdots r]$ | Replaced String |
| :---: | :---: | :---: | :---: |
| 1 | 4 | ccp? | ccpc |

In the third example, all valid pairs of $(l, r)$ are as follows.

| $l=$ | $r=$ | $S[l \cdots r]$ | Replaced String |
| :---: | :---: | :---: | :---: |
| 1 | 4 | ???c | ccpc |
| 3 | 6 | $? c ? ?$ | ccpc |
| 4 | 7 | c??? | ccpc |
| 1 | 7 | ???c??? | ccccpcc |

In the fourth example, all valid pairs of $(l, r)$ are as follows.

| $l=$ | $r=$ | $S[l \cdots r]$ | Replaced String |
| :---: | :---: | :---: | :---: |
| 1 | 4 | ?c?? | ссрс |
| 2 | 5 | c??? | ссрс |
| 3 | 6 | ???c | ссрс |
| 5 | 8 | ?cp? | ссрс |
| 3 | 9 | ??? ср?? | ccccpoc |

In the fifth example, all valid pairs of $(l, r)$ are as follows.

| $l=$ | $r=$ | $S[l \cdots r]$ | Replaced String |
| :---: | :---: | :---: | :---: |
| 1 | 4 | $? c ? ?$ | ccpc |
| 2 | 5 | c??? | ccpc |
| 3 | 6 | $? ? ? ?$ | ccpc |
| 4 | 7 | ???? | ccpc |
| 5 | 8 | $? ? ? c$ | ccpc |
| 9 | 12 | ccp? | ccpc |
| 12 | 15 | $? ? ? ? ?$ | ccpc |
| 1 | 7 | ?c????? | ccccpcc |
| 2 | 8 | c?????c | ccccpcc |
| 3 | 9 | ?????cc | ccccpcc |
| 7 | 13 | ?cccp?? | ccccpcc |
| 1 | 10 | ?c?????ccc | ccccccpccc |
| 5 | 14 | ???cccp??? | ccccccpccc |
| 3 | 15 | ?????cccp???? | ccccccccpcccc |

