## Problem D. Journey to Un'Goro

Input file:
standard input
Output file: standard output
Recently, you've taken a trip to Un'Goro.
A small road in Un'Goro has attracted your eyes. The road consists of $n$ steps, each colored either red or blue.
When you go from the $i$ th step to the $j$ th, you count the number of red steps you've stepped. You will be satisfied if the number is odd.
"What is the maximum number of pairs $(i, j)(1 \leq i \leq j \leq n)$, such that I'll be satisfied if I walk from the $i$ th step to the $j$ th?" you wonder. Also, how to construct all colorings such that the number of pairs is maximized?

## Input

The only line contains an integer $n\left(1 \leq n \leq 10^{5}\right)$, indicating the number of steps of the road.

## Output

Output an integer in the first line, denoting the maximum number of pairs that make you satisfied.
Each of the following several lines contains a string with length $n$ that represents a coloring scheme, in lexicographically ascending order. The $i$ th character is the color of the $i$ th step, where r is for red and b for blue.
If there are more than 100 different colorings, just find the lexicographically smallest 100 colorings.
Note that in lexicographical order, $b$ is ordered before $r$.

## Examples

| standard input | standard output |
| :--- | :--- |
| 1 | 1 |
| 2 | 2 |
|  | rr |
|  | rb |
| 3 | rr |
|  | 4 |
|  | brb |
|  | rbr |
|  | rrr |

