## Problem A. A Bite of Teyvat

Input file:
Output file:
Time limit:
Memory limit:
standard input
standard output
2 seconds
512 megabytes

Xiangling, one of the greatest chef in Teyvat, is preparing for the Moonchase banquet. Xiangling has bought $n$ round plates and her friend and companion Guoba will help place these $n$ plates on the table in a line. The $i$-th plate placed has radius $r_{i}$ and the center of this plate locates at $\left(x_{i}, 0\right)$ on the table.
However, Paimon the emergency food has been tired of waiting for the banquet a long time and begins finding the total area covered by the plates on the table after each placement.


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## Input

The first line contains an integer $n\left(1 \leq n \leq 10^{5}\right)$, indicating the number of plates Xiangling has bought. Then follow $n$ lines, the $i$-th of which contains two integers $x_{i}\left(-10^{5} \leq x_{i} \leq 10^{5}\right)$ and $r_{i}\left(1 \leq r_{i} \leq 10^{6}\right)$, indicating that the $i$-th plate placed by Guoba has radius $r_{i}$ and the center of this plate locates at ( $x_{i}, 0$ ) on the table.

## Output

Output $n$ lines, the $i$-th of which contains a real number, indicating the total area covered by the plates on the table after Guoba places the first $i$-th plates.
Your answer is acceptable if its absolute or relative error does not exceed $10^{-9}$. Formally speaking, suppose that your output is $x$ and the jury's answer is $y$, your output is accepted if and only if $\frac{|x-y|}{\max (1,|y|)} \leq 10^{-9}$.

## Example

|  | standard input | standard output |
| :--- | :--- | :--- |
| 4 | 1 | 3.141592653589793 |
| 2 | 1 | 6.283185307179586 |
| 3 | 1 | 8.196408262160623 |
| 1 | 1 | 8.881261518532902 |

## Note

In the sample case:

1. The total area covered by the first plate is $\pi$;

2. The total area covered by the first two plates is $2 \pi$;

3. The total area covered by the first three plates is $\frac{14 \pi+3 \sqrt{3}}{6}$;

4. The total area covered by all the four plates is $\frac{4 \pi+3 \sqrt{3}}{2}$.

