## Trie

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 1 second |
| Memory limit: | 1024 megabytes |

Recall the definition of a trie:

- A trie of size $n$ is a rooted tree with $n$ vertices and $(n-1)$ edges, where each edge is marked with a character.
- Each vertex in a trie represents a string. Let $s(x)$ be the string vertex $x$ represents.
- The root of the trie represents an empty string. Let vertex $u$ be the parent of vertex $v$, and let $c$ be the character marked on the edge connecting vertex $u$ and $v$, we have $s(v)=s(u)+c$. Here + indicates string concatenation, not the normal addition operation.
- The string each vertex represents is distinct.

We now present you a rooted tree with $(n+1)$ vertices. The vertices are numbered $0,1, \cdots, n$ and vertex 0 is the root. There are $m$ key vertices in the tree where vertex $k_{i}$ is the $i$-th key vertex. It's guaranteed that all leaves are key vertices.
Please mark a lower-cased English letter on each edge so that the rooted tree changes into a trie of size $(n+1)$. Let's consider the sequence $A=\left\{s\left(k_{1}\right), s\left(k_{2}\right), \cdots, s\left(k_{m}\right)\right\}$ consisting of all strings represented by the key vertices. Let $B=\left\{w_{1}, w_{2}, \cdots, w_{m}\right\}$ be the string sequence formed by sorting all strings in sequence $A$ from smallest to largest in lexicographic order. Please find a way to mark the edges so that sequence $B$ is minimized.
We say a string $P=p_{1} p_{2} \cdots p_{x}$ of length $x$ is lexicographically smaller than a string $Q=q_{1} q_{2} \cdots q_{y}$ of length $y$, if

- $x<y$ and for all $1 \leq i \leq x$ we have $p_{i}=q_{i}$, or
- there exists an integer $1 \leq t \leq \min (x, y)$ such that for all $1 \leq i<t$ we have $p_{i}=q_{i}$, and $p_{t}<q_{t}$.

We say a string sequence $F=\left\{f_{1}, f_{2}, \cdots, f_{m}\right\}$ of length $m$ is smaller than a string sequence $G=\left\{g_{1}, g_{2}, \cdots, g_{m}\right\}$ of length $m$, if there exists an integer $1 \leq t \leq m$ such that for all $1 \leq i<t$ we have $f_{i}=g_{i}$, and $f_{t}$ is lexicographically smaller than $g_{t}$.

## Input

There are multiple test cases. The first line of th input contains an integer $T$ indicating the number of test cases. For each test case:

The first line contains two integers $n$ and $m\left(1 \leq m \leq n \leq 2 \times 10^{5}\right)$ indicating the number of vertices other than the root and the number of key vertices.

The second line contains $n$ integers $a_{1}, a_{2}, \cdots, a_{n}\left(0 \leq a_{i}<i\right)$ where $a_{i}$ is the parent of vertex $i$. It's guaranteed that each vertex has at most 26 children.
The third line contains $m$ integers $k_{1}, k_{2}, \cdots, k_{m}\left(1 \leq k_{i} \leq n\right)$ where $k_{i}$ is the $i$-th key vertex. It's guaranteed that all leaves are key vertices, and all key vertices are distinct.
It's guaranteed that the sum of $n$ of all test cases will not exceed $2 \times 10^{5}$.

## Output

For each test case output one line containing one answer string $c_{1} c_{2} \cdots c_{n}$ consisting of lower-cased English letters, where $c_{i}$ is the letter marked on the edge between $a_{i}$ and $i$. If there are multiple answers strings so that sequence $B$ is minimized, output the answer string with the smallest lexicographic order.

## Example

|  |  |  | standard input |  | standard output |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 2 |  |  |  |  | abaab |  |
| 0 | 4 |  |  |  |  |  |
| 1 | 1 | 1 | 2 | 2 |  |  |
| 1 | 4 | 3 | 5 |  |  |  |
| 1 | 1 |  |  |  |  |  |
| 0 |  |  |  |  |  |  |
| 1 |  |  |  |  |  |  |

## Note

The answer of the first sample test case is shown as follows.


The string represented by vertex 1 is "a". The string represented by vertex 4 is "aba". The string represented by vertex 3 is "aa". The string represented by vertex 5 is "abb". So $B=\{" a ", " a a ", " a b a ", " a b b "\}$.

