Day 3: Japanese Contest, Head of Republic of Karelia Cup, Round I, Wednesday, February 1, 2017

## Problem I. Shortest Path Queries

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 5 seconds |
| Memory limit: | 256 mebibytes |

You are given a $W \times H$ grid. Each cell contains an integer. The top-left cell is called (1,1), and the bottom-right cell is called $(W, H)$.
A path from a cell $S$ to a cell $T$ is a sequence of cells such that the first cell in the sequence is $S$, the last cell in the sequence is $T$, and any two consecutive cells in the sequence share an edge. The cost of a path is defined as the sum of costs of all cells in the path.
You are given the integers written on the grid, and also $Q$ pairs of cells $\left(S X_{i}, S Y_{i}\right),\left(T X_{i}, T Y_{i}\right)$. For each pair, compute the minimum cost of the path from the cell $\left(S X_{i}, S Y_{i}\right)$ to the cell ( $T X_{i}, T Y_{i}$ ).

## Input

On the first line, you are given three integers $W$, $H$, and $Q\left(1 \leq W \leq 10,2 \leq H \leq 10^{4}, 1 \leq Q \leq 10^{5}\right)$.
On the next $H$ lines, you are given the information about the grid. The $x$-th number in the $y$-th of these lines, $A_{x, y}$, is the integer written in the cell $(x, y)\left(0 \leq A_{x, y} \leq 10^{9}\right)$.
On the next $Q$ lines, you are given pairs of cells $\left(S X_{i}, S Y_{i}\right),\left(T X_{i}, T Y_{i}\right)\left(1 \leq S X_{i}, T X_{i} \leq W\right.$, $\left.1 \leq S Y_{i}, T Y_{i} \leq H,\left(S X_{i}, S Y_{i}\right) \neq\left(T X_{i}, T Y_{i}\right)\right)$.

## Output

Print $Q$ lines. On the $i$-th line, print the answer for the pair ( $S X_{i}, S Y_{i}$ ) and ( $T X_{i}, T Y_{i}$ ).

## Examples

|  |  | standard input |  |
| :--- | :--- | :--- | :--- |
| 2 | 5 | 4 |  |
| 0 | 1 |  | 0 |
| 0 | 1 |  | 0 |
| 0 | 0 |  | 1 |
| 1 | 0 |  |  |
| 1 | 0 |  |  |
| 1 | 1 | 2 | 5 |
| 2 | 1 | 1 | 5 |
| 1 | 3 | 2 | 3 |
| 1 | 5 | 1 | 1 |

