## Let's Chat

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 1 second |
| Memory limit: | 256 megabytes |

ACM (ACMers' Chatting Messenger) is a famous instant messaging software developed by Marjar Technology Company. To attract more users, Edward, the boss of Marjar Company, has recently added a new feature to the software. The new feature can be described as follows:
If two users, $A$ and $B$, have been sending messages to each other on the last $m$ consecutive days, the "friendship point" between them will be increased by 1 point.
More formally, if user $A$ sent messages to user $B$ on each day between the $(i-m+1)$-th day and the $i$-th day (both inclusive), and user $B$ also sent messages to user $A$ on each day between the ( $i-m+1$ )-th day and the $i$-th day (also both inclusive), the "friendship point" between $A$ and $B$ will be increased by 1 at the end of the $i$-th day.
Given the chatting logs of two users $A$ and $B$ during $n$ consecutive days, what's the number of the friendship points between them at the end of the $n$-th day (given that the initial friendship point between them is 0 )?

## Input

There are multiple test cases. The first line of input contains an integer $T(1 \leq T \leq 10)$, indicating the number of test cases. For each test case:
The first line contains four integers $n\left(1 \leq n \leq 10^{9}\right), m(1 \leq m \leq n), x$ and $y(1 \leq x, y \leq 100)$. The meanings of $n$ and $m$ are described above, while $x$ indicates the number of chatting logs about the messages sent by $A$ to $B$, and $y$ indicates the number of chatting logs about the messages sent by $B$ to $A$.
For the following $x$ lines, the $i$-th line contains two integers $l_{a, i}$ and $r_{a, i}\left(1 \leq l_{a, i} \leq r_{a, i} \leq n\right)$, indicating that $A$ sent messages to $B$ on each day between the $l_{a, i}$ - th day and the $r_{a, i}$-th day (both inclusive).
For the following $y$ lines, the $i$-th line contains two integers $l_{b, i}$ and $r_{b, i}\left(1 \leq l_{b, i} \leq r_{b, i} \leq n\right)$, indicating that $B$ sent messages to $A$ on each day between the $l_{b, i}$ - th day and the $r_{b, i}$ th day (both inclusive).
It is guaranteed that for all $1 \leq i<x, r_{a, i}+1<l_{a, i+1}$ and for all $1 \leq i<y, r_{b, i}+1<l_{b, i+1}$.

## Output

For each test case, output one line containing one integer, indicating the number of friendship points between $A$ and $B$ at the end of the $n$-th day.

## Example

|  | standard input |  | standard output |
| :--- | :--- | :--- | :--- |
| 2 |  | 3 |  |
| 10 | 3 | 3 | 2 |
| 1 | 3 |  | 0 |
| 5 | 8 |  |  |
| 10 | 10 |  |  |
| 1 | 8 |  |  |
| 10 | 10 |  |  |
| 5 | 3 | 1 | 1 |
| 1 | 2 |  |  |
| 4 | 5 |  |  |

## Note

For the first test case, user $A$ and user $B$ send messages to each other on the 1 -st, 2 -nd, 3 -rd, 5 -th, 6 -th,

7 -th, 8 -th and 10 -th day. As $m=3$, the friendship points between them will be increased by 1 at the end of the 3 -rd, 7 -th and 8 -th day. So the answer is 3 .

