## Problem A. Shortest Paths on Random Forests

Input file:<br>Output file:<br>standard input<br>Time limit:<br>standard output<br>Memory limit<br>6 seconds<br>1024 megabytes

Here is a problem related to forest, which is a special type of graph. Before introducing this problem to you, we intend to show some definitions used in this problem. A labelled forest with $n$ vertices is an acyclic undirected simple graph in which vertices are labelled by $1,2, \cdots, n$. Two labelled forests are regarded as different if their numbers of vertices are different or, if they have the same number of vertices, for some integers $i$ and for vertices labelled by $i$ in these two forests, their neighbours have different labels (which means that the sets of labels corresponding to all neighbours of vertices labelled by $i$ in these two forests are different).

Tree-like structures are constructed in computer programming constantly, which is the most fascinating part Bob has ever seen. Today, Bob wants to randomly choose a labelled forest $G$ from all possible labelled forests having $n$ vertices with equal probability. Then, he will set $\delta(i, j)$ to the number of edges on the shortest path from the vertex labelled $i$ to the vertex labelled $j$ if the shortest path exists, or set $\delta(i, j)$ to $m$ otherwise. Bob is curious about the expected value of

$$
\sum_{i=1}^{n} \sum_{j=i+1}^{n} \delta^{2}(i, j)
$$

but it's hard for him. Can you help Bob find out the expected value modulo 998244353 ?
More precisely, if the reduced fraction of the expected value is $\frac{p}{q}$, what you should provide is the minimum non-negative integer $r$ such that $q r \equiv p(\bmod 998244353)$.

## Input

The input contains several test cases, and the first line contains a positive integer $T$ indicating the number of test cases which is up to $2 \times 10^{5}$.

For each test case, the only one line contains two integers $n$ and $m$ where $1 \leq n \leq 2 \times 10^{5}$ and $n \leq m \leq 998244352$.
We guarantee that the modular multiplicative inverse of $q$ in each test case always exists, in other words, the condition $q \not \equiv 0(\bmod 998244353)$ is guaranteed to be true in all test cases.

## Output

For each test case, output a line containing the answer modulo 998244353.

## Example

|  | standard input |  | standard output |
| :--- | :--- | :--- | :--- |
| 4 | 1 | 0 |  |
| 2 | 3 | 5 | 66 |
| 3 | 7 | 576 |  |
| 4 | 16 |  |  |

