## Green Day

Input file:
Output file:
Time limit:
Memory limit:
standard input standard output
1 second
256 mebibytes

Consider a graph consisting of $n \geq 2$ vertices without loops or parallel edges. Each edge may be colored in one of $k$ colors. We call a coloring proper if edges of each color form a spanning tree of the graph (that is, for each color $c$, there exists a unique path between each pair of vertices that uses only edges of color $c)$. Denote such spanning tree for color $c$ as $T_{c}$.
We call a proper coloring safe if for each two colors $c$ and $d$ and for each two distinct vertices $u$ and $v$, the following statement is correct: $\operatorname{path}_{T_{c}}(u, v) \cap \operatorname{path}_{T_{d}}(u, v)=\{u, v\}$, where $\operatorname{path}_{T}(u, v)$ is the set of all vertices of tree $T$ that lie on the simple path between $u$ and $v$ (including $u$ and $v$ themselves).
Your task is to construct such a graph that its edges are colored in $k$ colors forming a safe proper coloring.

## Input

The first and only line of input contains a single positive integer $k(2 \leq k \leq 100)$, the number of colors you should use in your graph.

## Output

On the first line, output $n \geq 2$ : the number of vertices in your graph.
Then, output $k$ groups consisting of $n-1$ edges representing edges of each color. Output each edge as a pair of integers $a_{i}, b_{i}$ on a separate line $\left(1 \leq a_{i}, b_{i} \leq n, a_{i} \neq b_{i}\right)$.
Your output must satisfy the condition $(n-1) \cdot k \leq 10^{6}$. There must be no parallel edges.
You are allowed to output any valid answer. It's guaranteed that at least one solution exists.

## Example

| standard input |  | standard output |
| :--- | :--- | :--- |
| 2 | 4 |  |
|  | 1 | 2 |
|  | 1 | 3 |
|  | 3 | 4 |
|  | 4 | 1 |
|  | 2 | 3 |
|  | 2 | 4 |

