Hans Zimmer

Input file:	standard input
Output file:	standard output
Time limit:	1 second
Memory limit:	256 mebibytes

Hans wants to become a glass carver (a person who creates beautiful artwork by cutting the glass). He already has a rectangular piece of glass of size $w \times h$ millimeters, a diamond glass cutter and lots of enthusiasm. What he lacks is understanding of what to carve and how.

In order not to waste time, he decided to practice the technique of carving. To do this, he makes vertical and horizontal cuts through the entire sheet. This process results in making smaller rectangular fragments of glass. Hans does not move the newly made glass fragments. In particular, a cut divides each fragment of glass that it goes through into smaller fragments.

Hans doesn't know how to make a great artwork, so he performs random cuts as follows. First, he tosses a fair coin to determine if he is going to cut the glass vertically or horizontally (that is, the probability of choosing each direction is 50%). After that, he chooses a uniformly distributed random real point on the corresponding side of the rectangle, and makes a cut through that point. All n random points and all n coin tosses are mutually independent.

Hans is going to perform exactly n cuts. What he is interested in, is the fragment with the smallest area that is formed after he makes all cuts. Denote its area as ξ . Your task is to calculate $E[\xi]$, the expected value of ξ .

Input

The only line of input contains three space-separated integers w, h and n $(1 \le w, h \le 10^3, 1 \le n \le 10^6)$, the size of the piece of glass and the number of cuts Hans is going to perform.

Output

Output the expected area of the smallest fragment formed after performing all cuts. Your answer will be considered correct if its **relative** error is no more than 10^{-4} (note that having absolute error no more that 10^{-4} is **not enough**).

Examples

standard input	standard output
2 4 1	2
42 24 2	87.5