# **Almost Prefix Concatenation**

Input file:	standard input
Output file:	standard output
Time limit:	3 seconds
Memory limit:	512 megabytes

A string  $A = a_1 a_2 \cdots a_n$  of length n is a concatenation of n characters  $a_1, a_2, \ldots, a_n$ , and its length is denoted by |A|. Similarly, the concatenation of two strings  $A = a_1 a_2 \cdots a_n$  and  $B = b_1 b_2 \cdots b_m$  is  $a_1 a_2 \cdots a_n b_1 b_2 \cdots b_m$ , denoted by A + B.

The edit distance between two strings  $A = a_1 a_2 \cdots a_n$  and  $B = b_1 b_2 \cdots b_n$  of the same length n is the number of indices i such that  $a_i \neq b_i$ .

We call the string A formed by the first k characters of another string B ( $k \leq |B|$ ) as the k-th prefix of B, and a string P as an almost prefix of another string Q if  $|P| \leq |Q|$  and the edit distance between P and the |P|-th prefix of Q is at most 1.

Given two strings S and T consisting of lowercase English letters, you are asked to find all ways to split S into many parts such that each part is a non-empty almost prefix of string T, and then report the sum of the squared number of parts of all ways in modulo 998244353. More formally, let  $S = P_1 + P_2 + \ldots + P_n$  be a possible way, you are asked to calculate

$$\begin{pmatrix} \sum_{\substack{S=P_1+P_2+\ldots+P_n\\\forall_{i=1,2,\ldots,n}P_i \text{ is an almost prefix of }T} n^2 \end{pmatrix} \mod 998\,244\,353.$$

### Input

The first line of the input contains a string S  $(1 \le |S| \le 1\,000\,000)$ , consisting of only lowercase English letters.

The next line contains a string T  $(1 \le |T| \le 1\,000\,000)$ , consisting of only lowercase English letters.

## Output

Print a single line containing a single integer: the sum of the squared number of parts of all ways in modulo  $998\,244\,353$ .

## Examples

standard input	standard output
ababaab	473
aba	
ac	5
ссрс	

## Note

In the first sample case (S = ababaab, T = aba), there are 19 ways to split:

- 1 way of 3 parts, which is ab + aba + ab;
- 6 ways of 4 parts, such as a + b + aba + ab;
- 7 ways of 5 parts, such as a + b + ab + a + ab;
- 4 ways of 6 parts, such as a + b + a + b + a + ab;
- 1 way of 7 parts, which is  $\mathbf{a} + \mathbf{b} + \mathbf{a} + \mathbf{b} + \mathbf{a} + \mathbf{a} + \mathbf{b}$ .

Therefore, the result for the first sample case is  $(3^2 + 6 \times 4^2 + 7 \times 5^2 + 4 \times 6^2 + 7^2) \mod 998244353 = 473.$