## GCD of Pattern Matching

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 2 seconds |
| Memory limit: | 512 megabytes |

For any positive integer $x$, its $m$-based representation is a string of digits $d_{n-1} d_{n-2} \cdots d_{1} d_{0}$ where $x=\sum_{i=0}^{n-1} d_{i} m^{i}, 0<d_{n-1}<m$, and $\forall_{i=0,1, \ldots, n-2} 0 \leq d_{i}<m$.
Let $\Sigma$ be the set of all possible characters. We call that a string $S=s_{1} s_{2} \cdots s_{n}$ matches with a pattern $P=p_{1} p_{2} \cdots p_{n}$ if and only if there exists a mapping function $f: \Sigma \rightarrow \Sigma$ such that $\forall_{i=1,2, \ldots, n} f\left(s_{i}\right)=p_{i}$ and $\forall_{a, b \in \Sigma, a \neq b} f(a) \neq f(b)$.

Given an integer $m$ and a pattern $P$ consisting of lowercase English letters, find all positive integers in $m$-based representation that match the pattern, and report their greatest common divisor (GCD) in 10-based representation.

It is guaranteed for each test case that there always exists at least one integer whose $m$-based representation matches the pattern.

## Input

The first line of the input contains a single integer $T(1 \leq T \leq 500000)$, denoting the number of test cases.

Each of the following $T$ lines describes a test case and contains an integer $m$ and a string $P(2 \leq m \leq 16$, $1 \leq|P| \leq 16)$, separated by a single space.

## Output

For each of the $T$ test cases, print a single line containing a single integer: the GCD of all matched positive integers (in 10-based representation).

## Example

| standard input | standard output |
| :--- | :--- |
| 5 | 10001 |
| 10 ccpcccpc | 10101 |
| 10 cpcpcp | 1 |
| 10 cpc | 65 |
| 4 cpccpc | 3 |
| 4 dhcp |  |

## Note

For the last sample case, all integers of length 4 with no duplicate digits in 4-based representation can match dhcp, whose digits have a constant sum $0+1+2+3=6$ (e.g. 1023, 1302, 3210). Together with $\sum_{i=0}^{n-1} d_{i} 4^{i} \equiv \sum_{i=0}^{n-1} d_{i}(\bmod 3)$ and $\operatorname{gcd}(1023,3210)=3$, we can conclude the answer is 3 .

