## Jumping Frogs

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 2 seconds |
| Memory limit: | 1024 megabytes |

Julia is a fan of wild nature photos. Yesterday, she took two photos of a beautiful river with water lilies and some frogs sitting on them.

There are many water lilies on the river, numbered with consecutive positive integers from left to right, starting from 1. Both photos were taken from exactly the same spot, and both photos have the same $n$ frogs sitting on water lilies. Each water lily can hold at most one frog.

After comparing the photos, Julia found out that all the frogs moved between the photos, since no water lily had a frog sitting on it in both photos. However, Julia couldn't understand which frog from the first photo moved to which water lily in the second photo, as all frogs looked exactly the same!

One thing is for sure: each frog jumped to a different water lily. Some frogs moved to the left, to a water lily with a smaller number, while the other frogs moved to the right, to a water lily with a larger number.

To investigate the movement of frogs, Julia wants to answer the following question: how many frogs moved to the left between the photos? As it may not be possible to find a unique answer to this question, you need to help Julia to find all possible answers.

## Input

The first line contains a single integer $n$, denoting the number of frogs ( $1 \leq n \leq 200000$ ).
The second line contains $n$ integers $a_{1}, a_{2}, \ldots, a_{n}$, denoting the water lilies with frogs on them in the first photo, in increasing order $\left(1 \leq a_{1}<a_{2}<\cdots<a_{n} \leq 10^{9}\right)$.

The third line contains $n$ integers $b_{1}, b_{2}, \ldots, b_{n}$, denoting the water lilies with frogs on them in the second photo, in increasing order $\left(1 \leq b_{1}<b_{2}<\cdots<b_{n} \leq 10^{9}\right)$.
All $2 n$ given integers are distinct: no water lily has a frog sitting on it in both photos.

## Output

In the first line, print a single integer $k$, denoting the number of possible answers to Julia's question.
In the second line, print $k$ integers $c_{1}, c_{2}, \ldots, c_{k}$, denoting all possible answers in increasing order $\left(0 \leq c_{1}<c_{2}<\cdots<c_{k} \leq n\right)$.

## Examples

| standard input | standard output |
| :---: | :---: |
| $\begin{array}{llll} 4 & & & \\ 10 & 20 & 30 & 40 \\ 1 & 2 & 51 & 52 \end{array}$ | $\begin{aligned} & 1 \\ & 2 \end{aligned}$ |
| $\begin{array}{llll} \hline 4 & & \\ 10 & 20 & 30 & 40 \\ 5 & 15 & 25 & 35 \end{array}$ | $\begin{array}{llll} \hline 4 & & & \\ 1 & 2 & 3 & 4 \end{array}$ |
| $\begin{aligned} & \hline 1 \\ & 100 \\ & 200 \end{aligned}$ | $\begin{aligned} & 1 \\ & 0 \end{aligned}$ |

## Note

In the first example, frogs that ended up on water lilies 1 and 2 must have moved to the left, while frogs that ended up on water lilies 51 and 52 must have moved to the right. Thus, we know for sure that exactly

2 frogs moved to the left between the photos.

